

Module ECUE  
« Applied AI »

AI & Biomedical : Big data in bio  
imagery

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# High Spatial Resolution Multiscale

- Microscopy images :
  - Spatial resolution in x/y : lower than  $1\mu\text{m}$
  - 2D or 3D datasets : up to several hundreds of slices

Example : mice brain image on light-sheet microscopy

$X = 0.75\mu\text{m}$ ,  $Y = 0.75\mu\text{m}$ ,  $Z = 1.99\mu\text{m}$

6000 x 6000 x 1000 voxels

Voxels coded on 16 bit

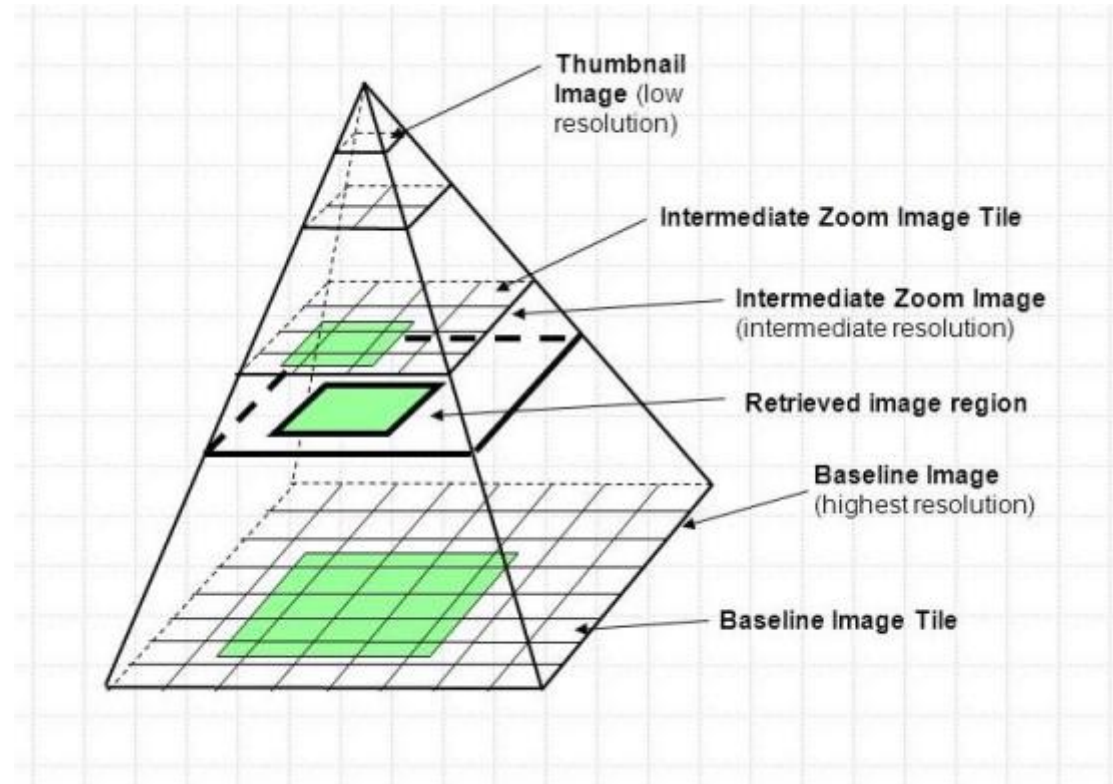
Study on 2 channels + time course

20-300 Gb

about 40 brains

# Histopathology data

Pyramidal structure of data (Whole\_Slide Imaging format)

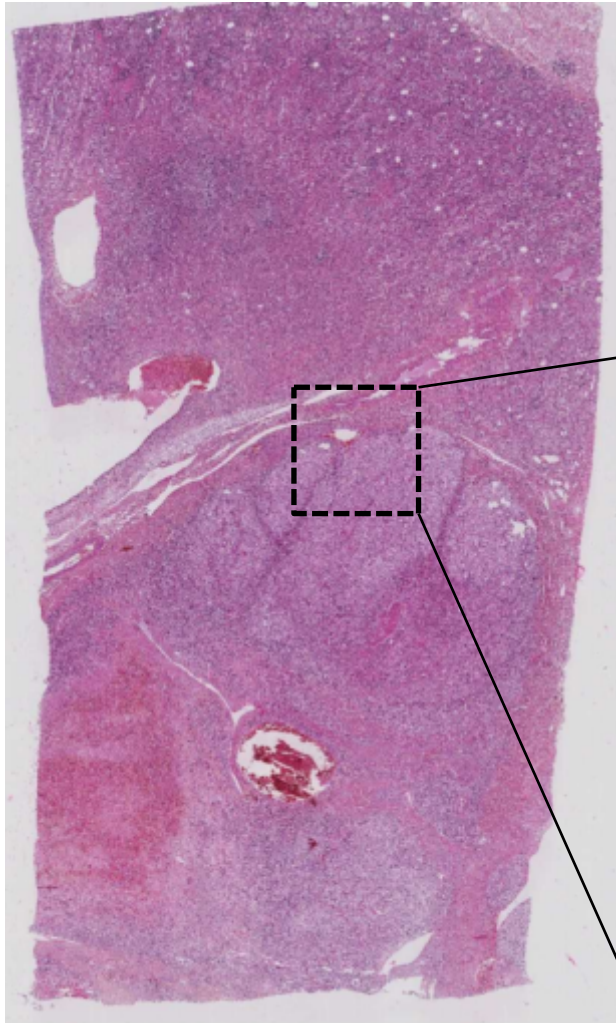


# Histopathological data

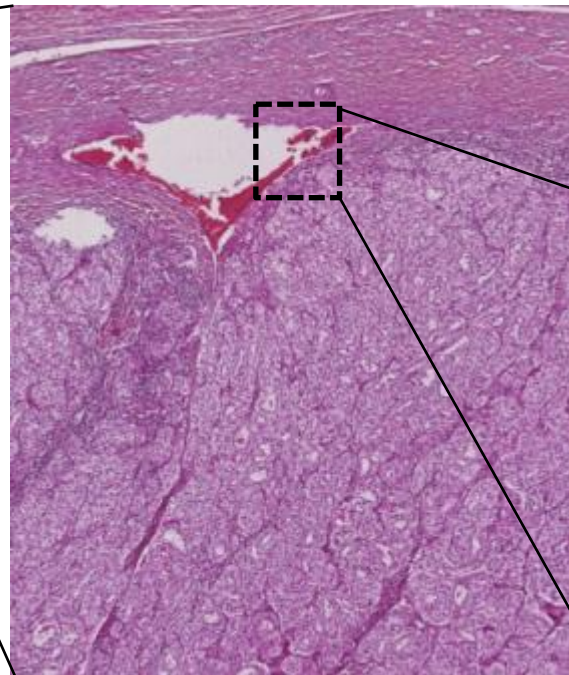
First goal : focus on suspicious areas

Multiscale approach :

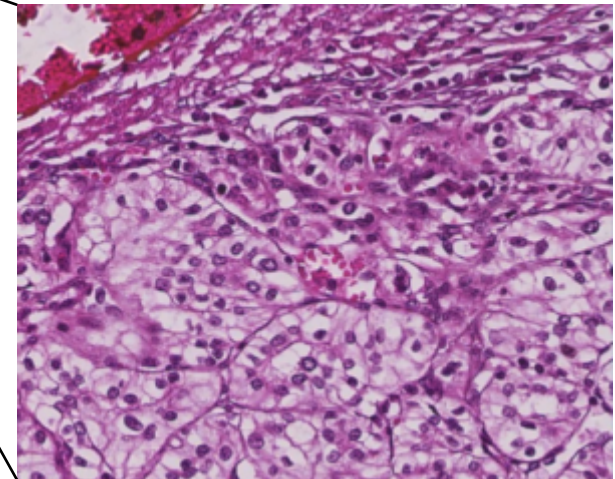
First analyse the low resolution image to consider only small areas on the high resolution image (to reduce for example the size of a CNN first layer)



(822 x 1.365)



(13.152 x 21.840)



(52.608 x 87.360)

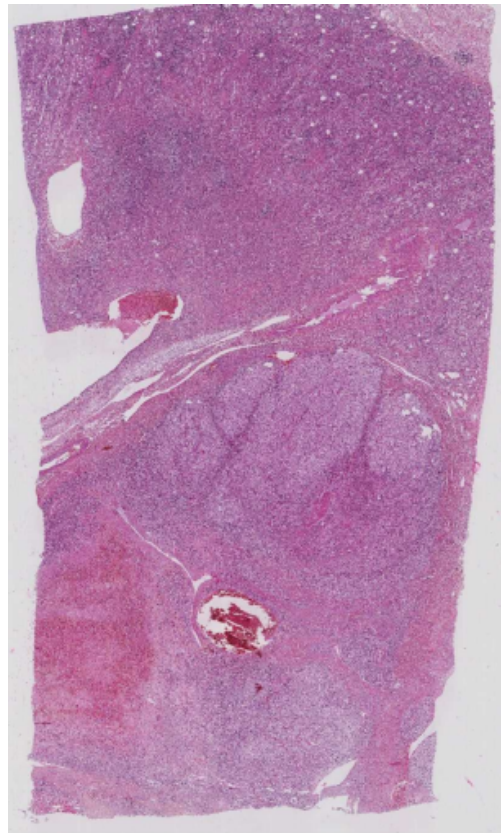


# Histopathology data analysis

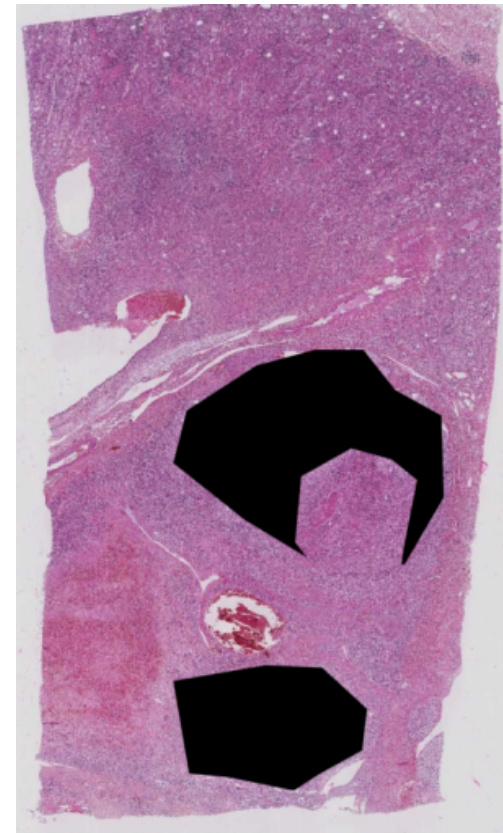
- Goal : classify and grade the cancer
- Focuss on ROI (tumor zones)
- Medical decision based on local patterns
- Histopathologist analysis :
  - Screen the low resolution image to detect ROIs
  - Zoom on these ROIs (and come back)
  - > multiscale analysis
  - > qualitative analysis

# A first machine learning task

- Classify ROI (tumor areas)



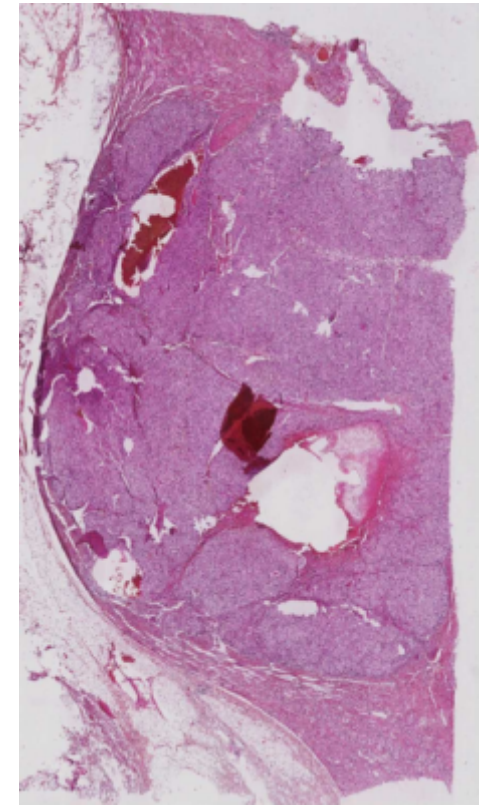
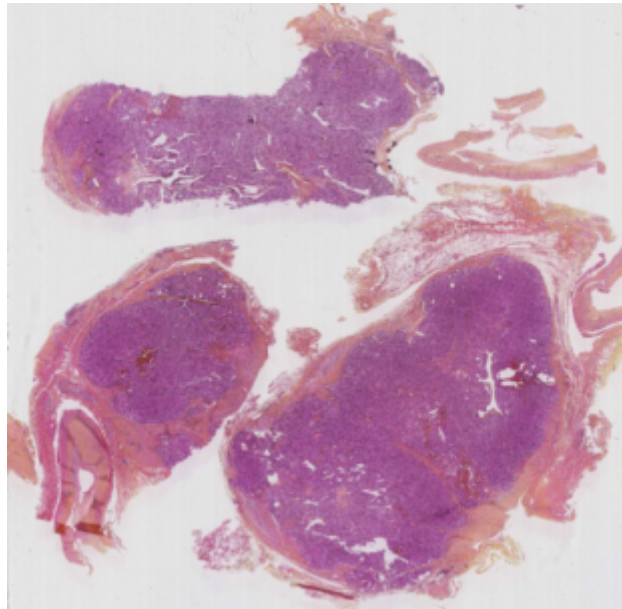
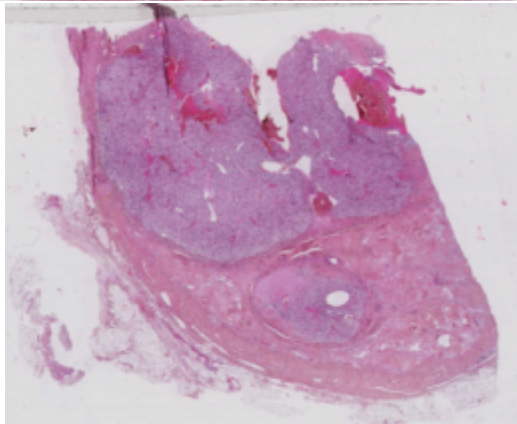
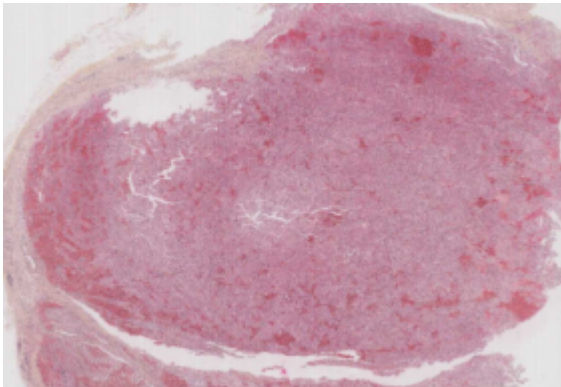
*Initial Image*



*Tumor areas (ROI)*

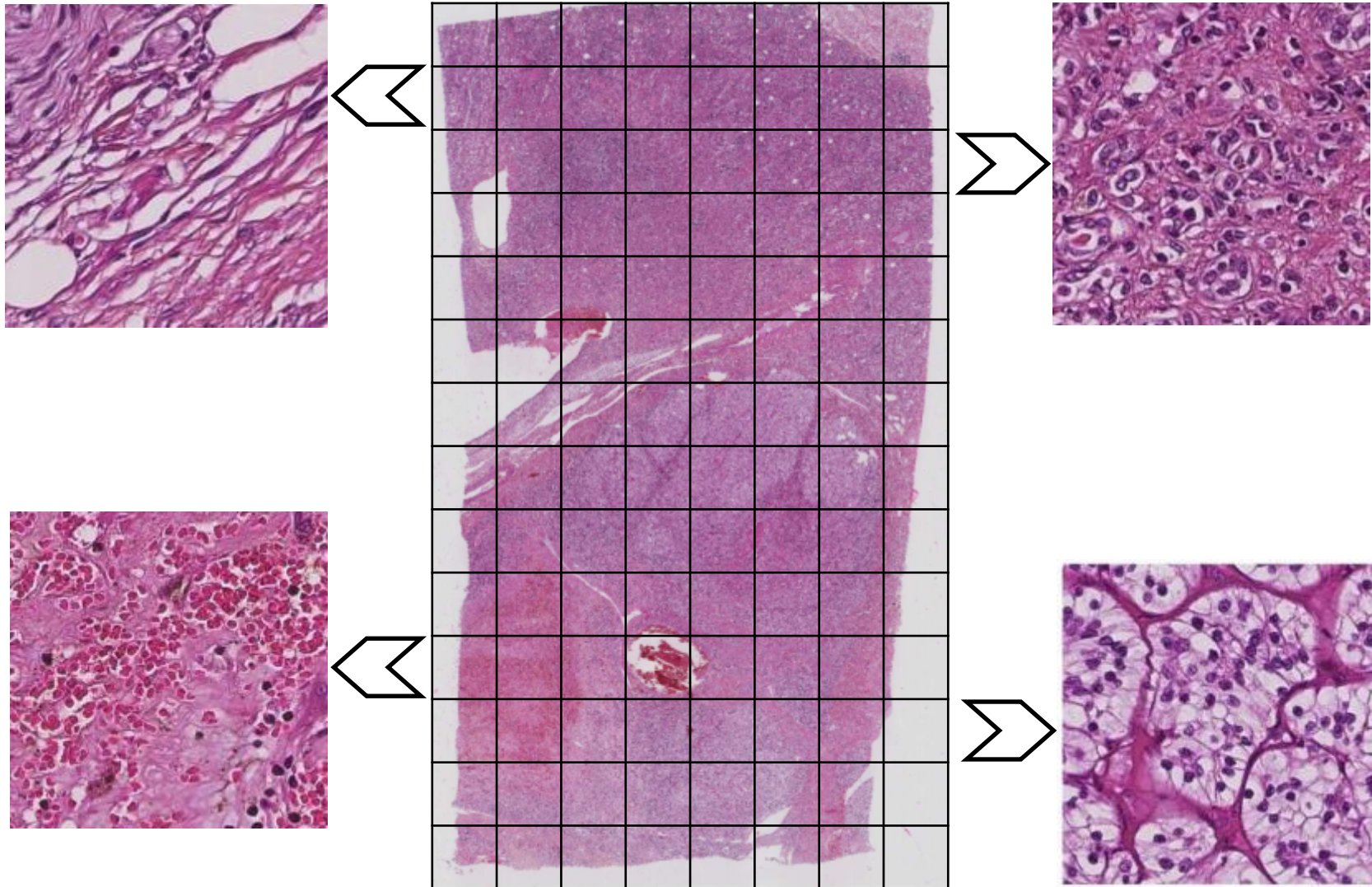
# Challenge

- Variability between and within images
- Non informative areas (fat, blood...)
- Huge datasets (12 Go  $\cong$  100 000 pixels per axis)





# Patches classification



*Tumor*

# Pre-Processing : color deconvolution

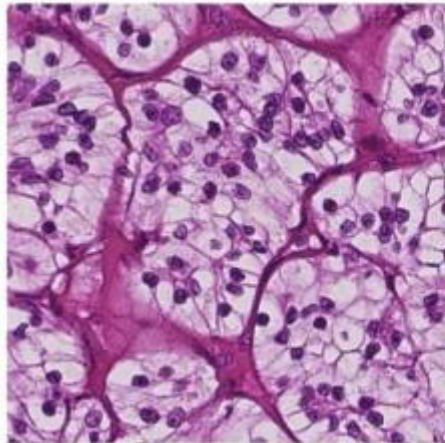
$$\forall c \in \mathbb{N}^2, H(c) = \frac{Rouge(c)}{C3(c)},$$

$$\forall c \in \mathbb{N}^2, E(c) = \frac{Vert(c)}{Rouge(c)}.$$

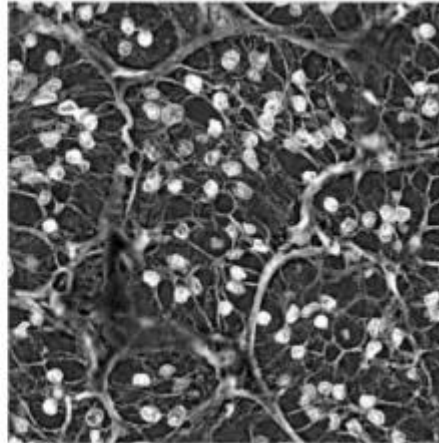
$$\forall c \in \mathbb{N}^2, C1(c) = \arctan \left[ \frac{Rouge(c)}{\max(Vert(c), Bleu(c))} \right]$$

$$\forall c \in \mathbb{N}^2, C2(c) = \arctan \left[ \frac{Vert(c)}{\max(Rouge(c), Bleu(c))} \right]$$

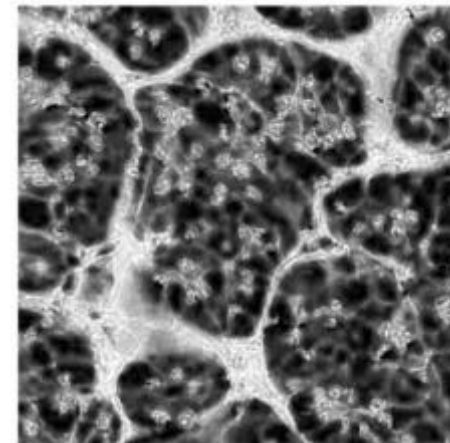
$$\forall c \in \mathbb{N}^2, C3(c) = \arctan \left[ \frac{Bleu(c)}{\max(Rouge(c), Vert(c))} \right]$$



RGB image



H channel

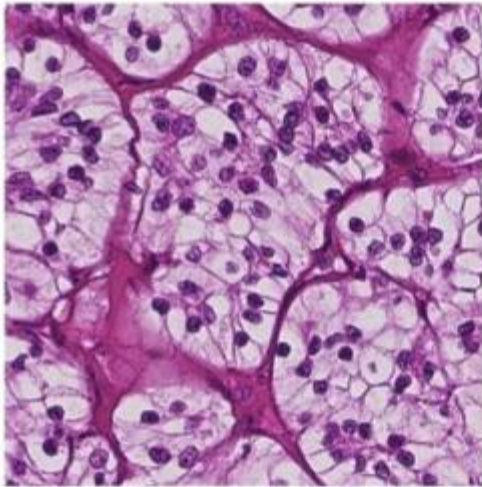


E channel

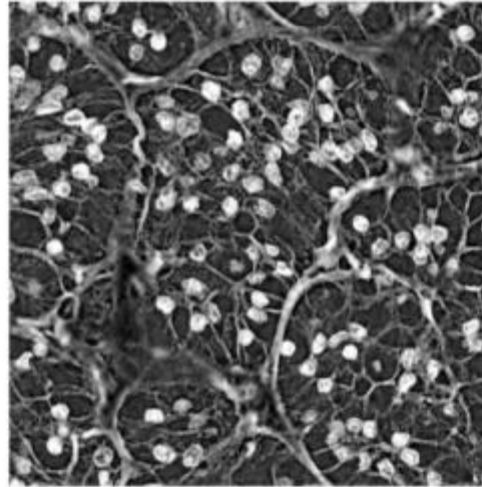


# Reduce dataset

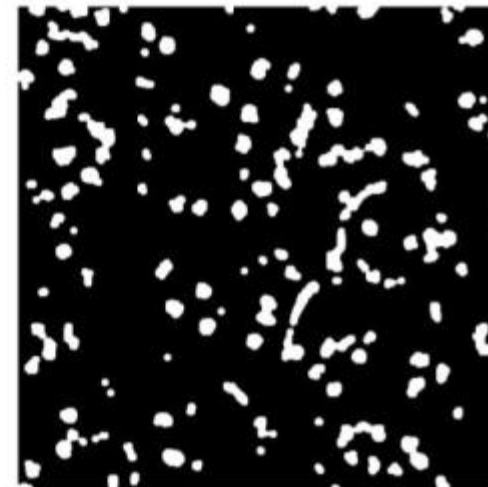
- Remove patches with few cells



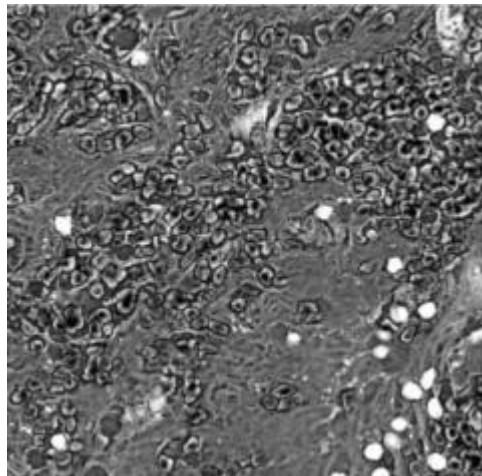
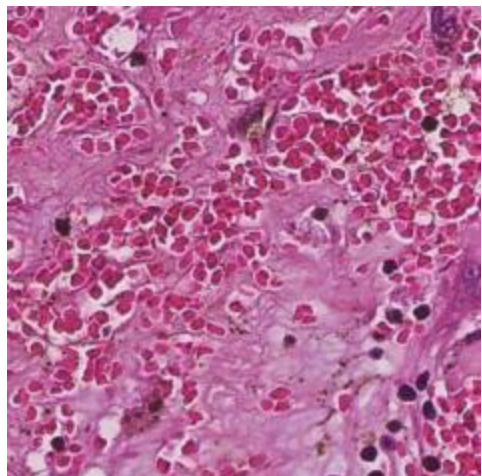
*Image RGB*



*H channel*

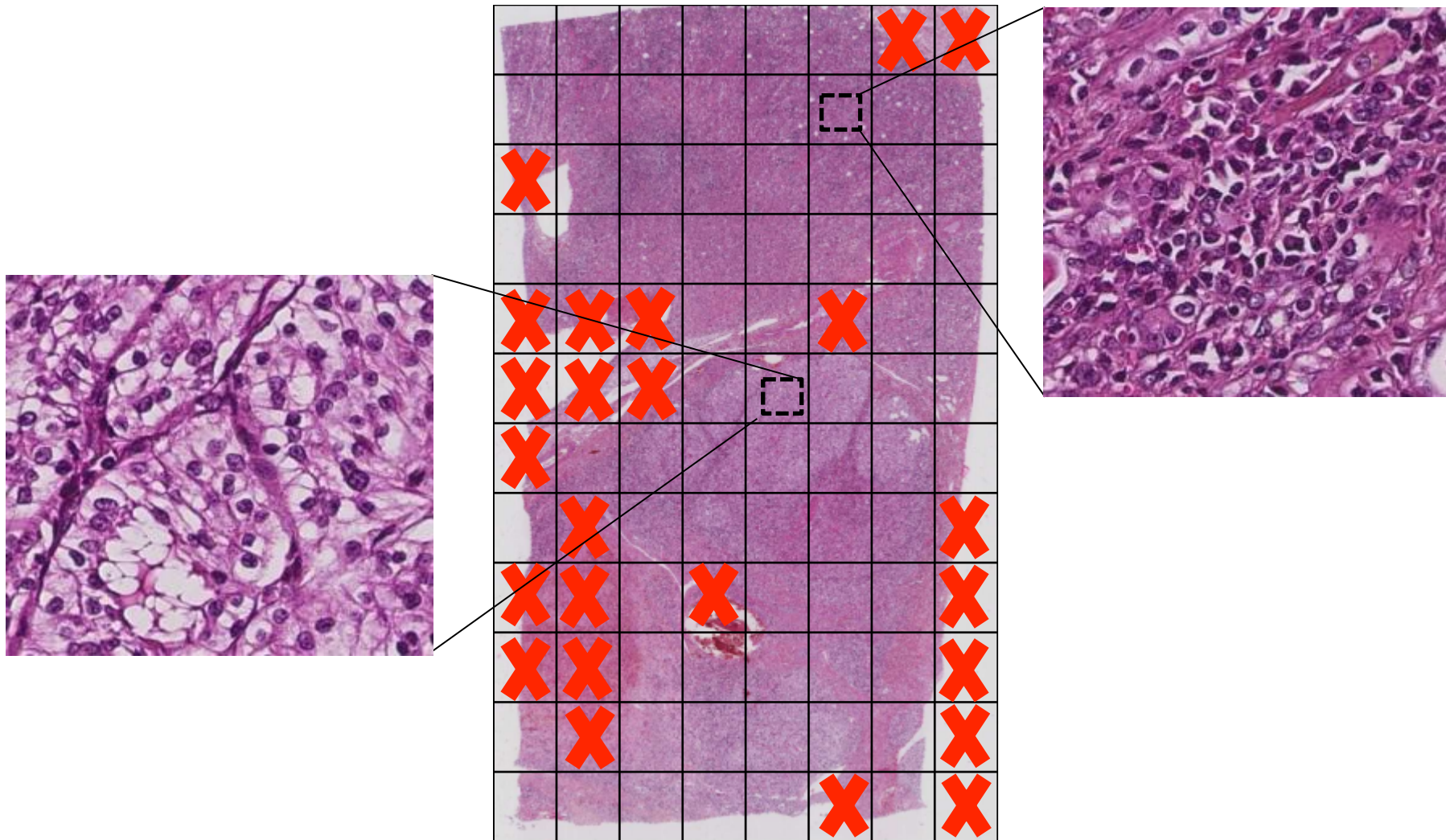


*120 nuclei*



*32 nuclei*

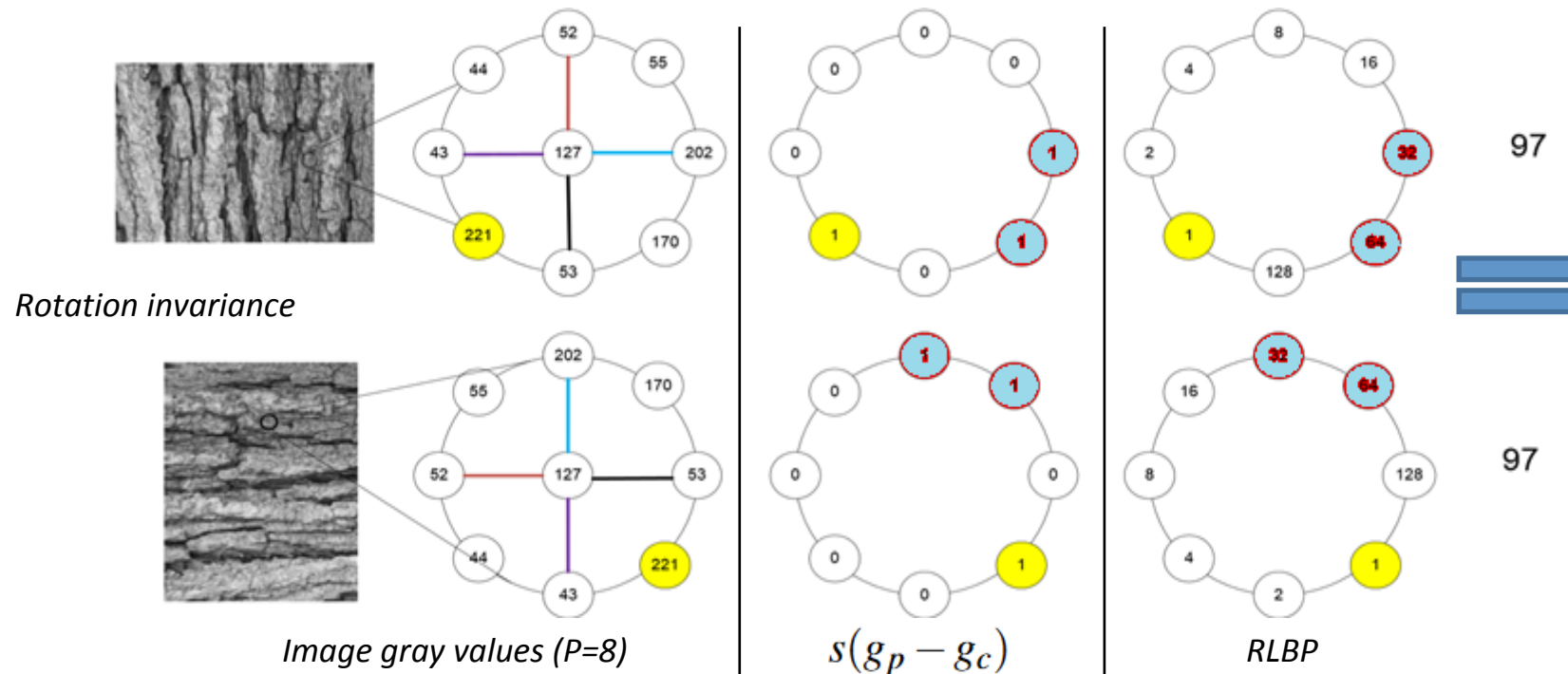
# Reduce dataset



# Features extraction : local binary patterns

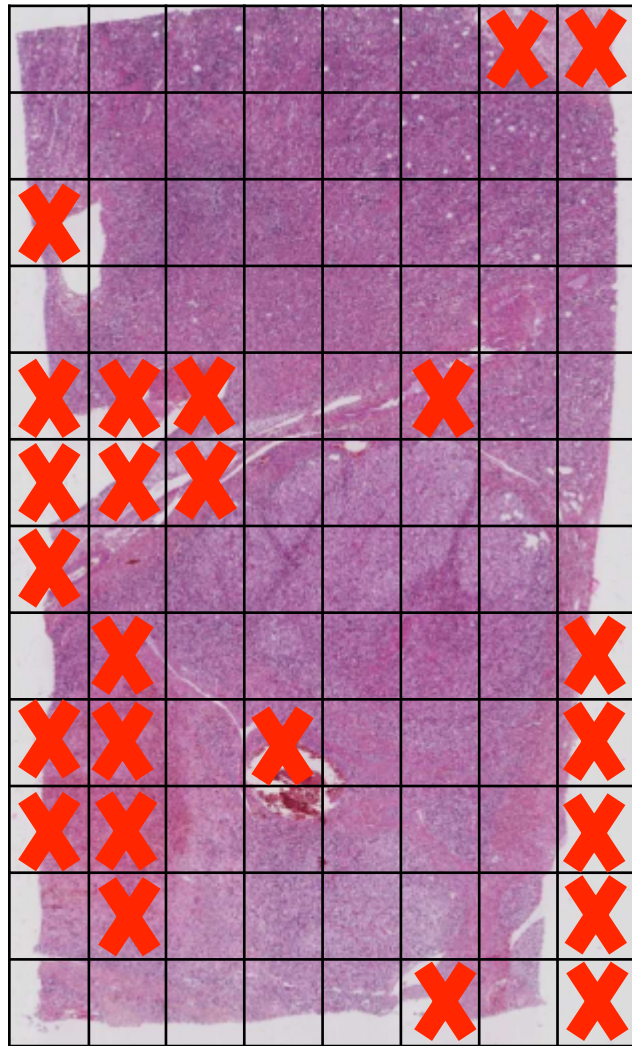
$$D = \arg \max_{p \in (0, 1 \dots P-1)} |g_p - g_c|$$

$$RLBP_{R,P} = \sum_{p=0}^{P-1} s(g_p - g_c) \cdot 2^{\text{mod}(p-D, P)}$$

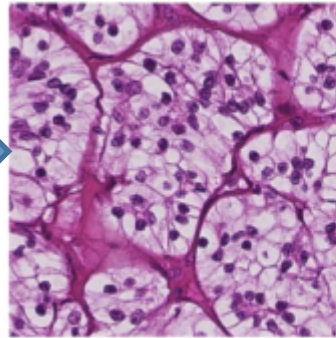




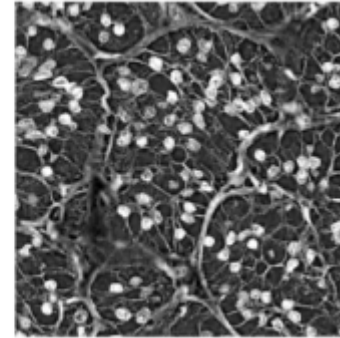
# Classification : k-means



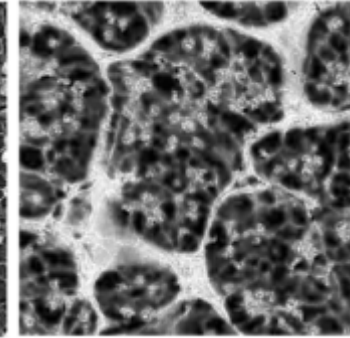
Result after nuclei detection



RGB image



H channel



E channel

RLBP- H

14	440	8700	...	...	...	...	...	...	745
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RLBP- E

945	560	163	...	...	...	...	...	...	12
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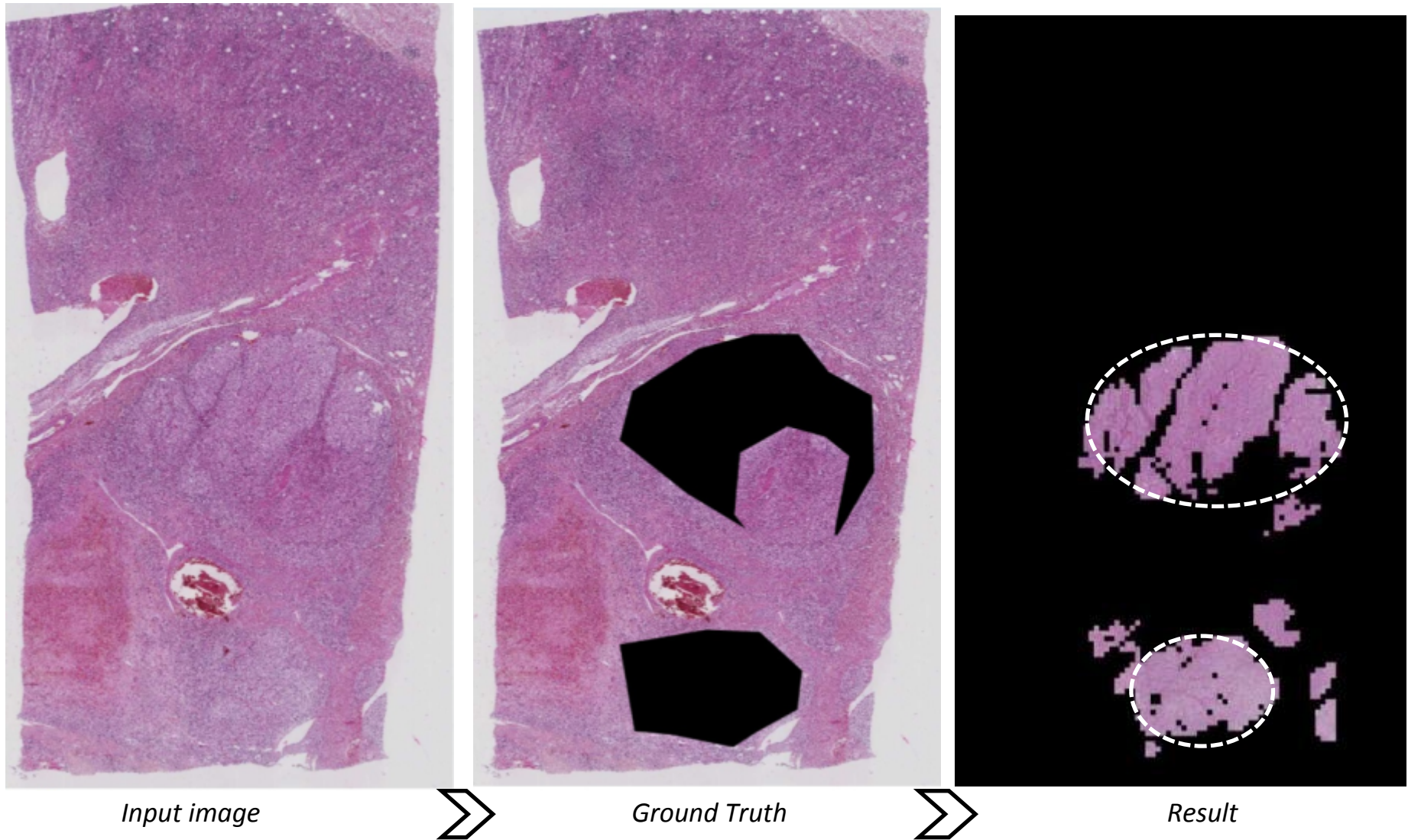
$P=16, R=3$  (65.536 x 2 patterns)

Find the Most Frequent patterns  
from the training images

Classification K-NN

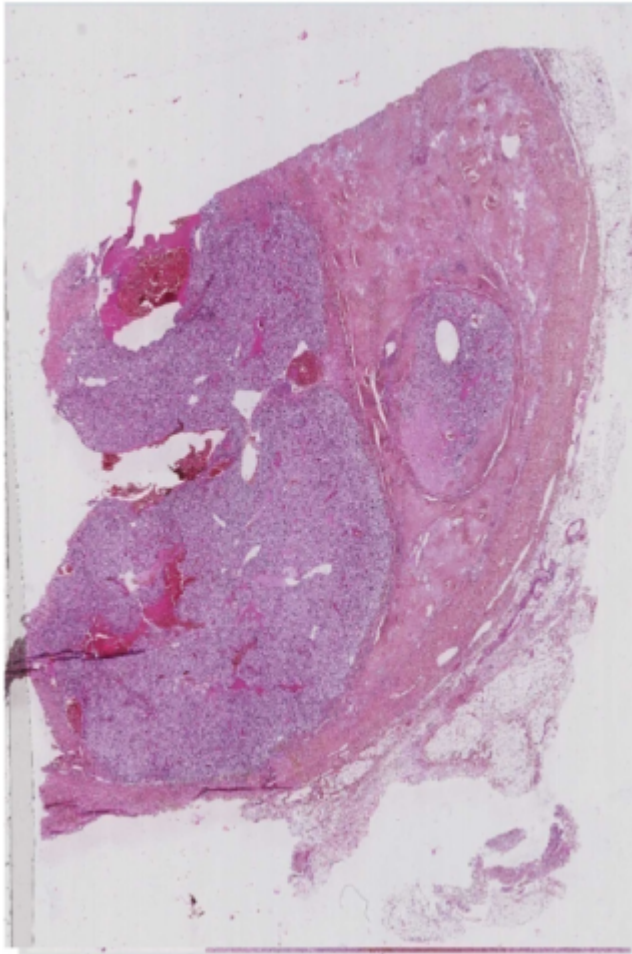
- Classes number: 02 ( Tumor / Not-tumor)
- Learning : 10 slides → 850 patches
- Test : 05 slides

# Result on learning set

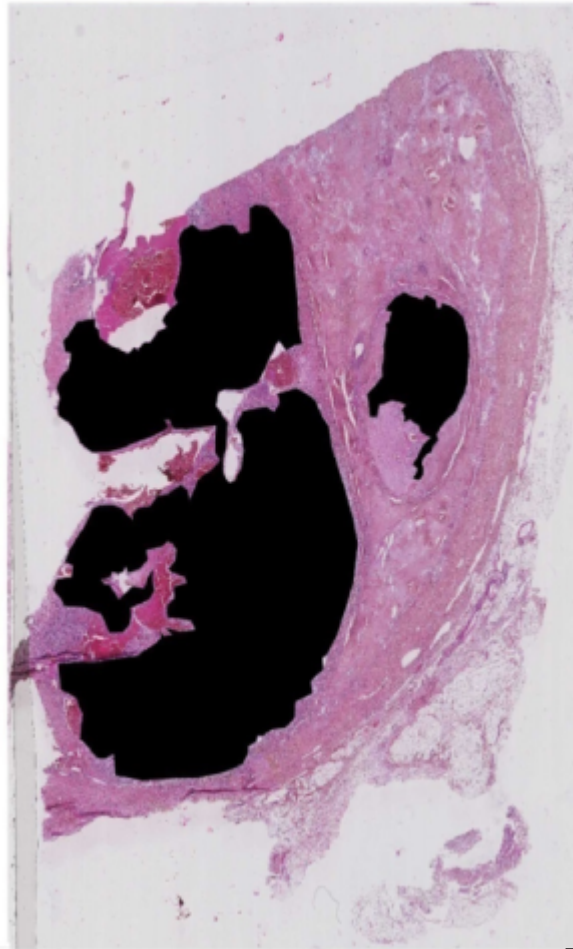




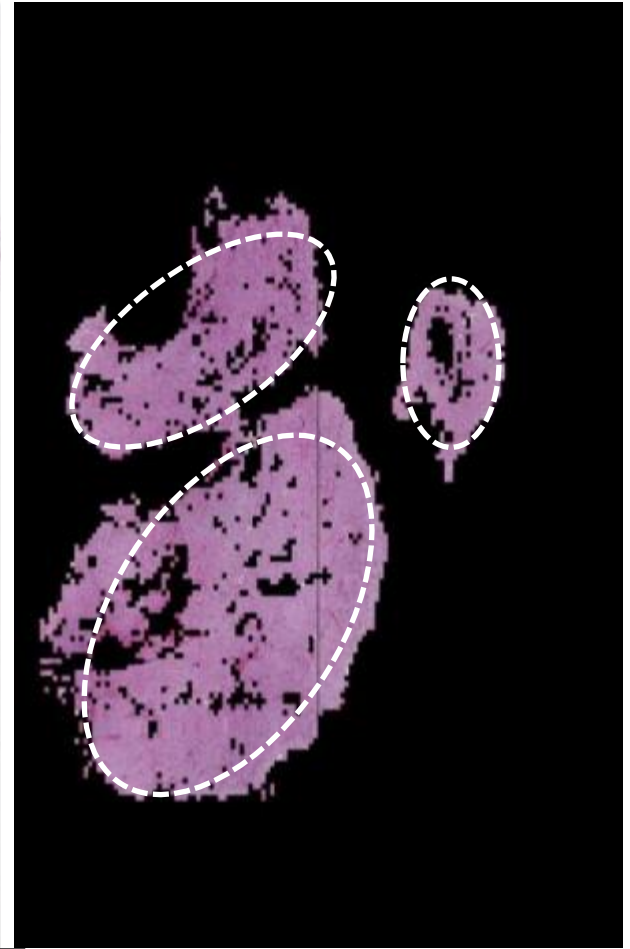
# Result on test set



*Input image*



*Ground Truth*



*Result*



# High Throughput data

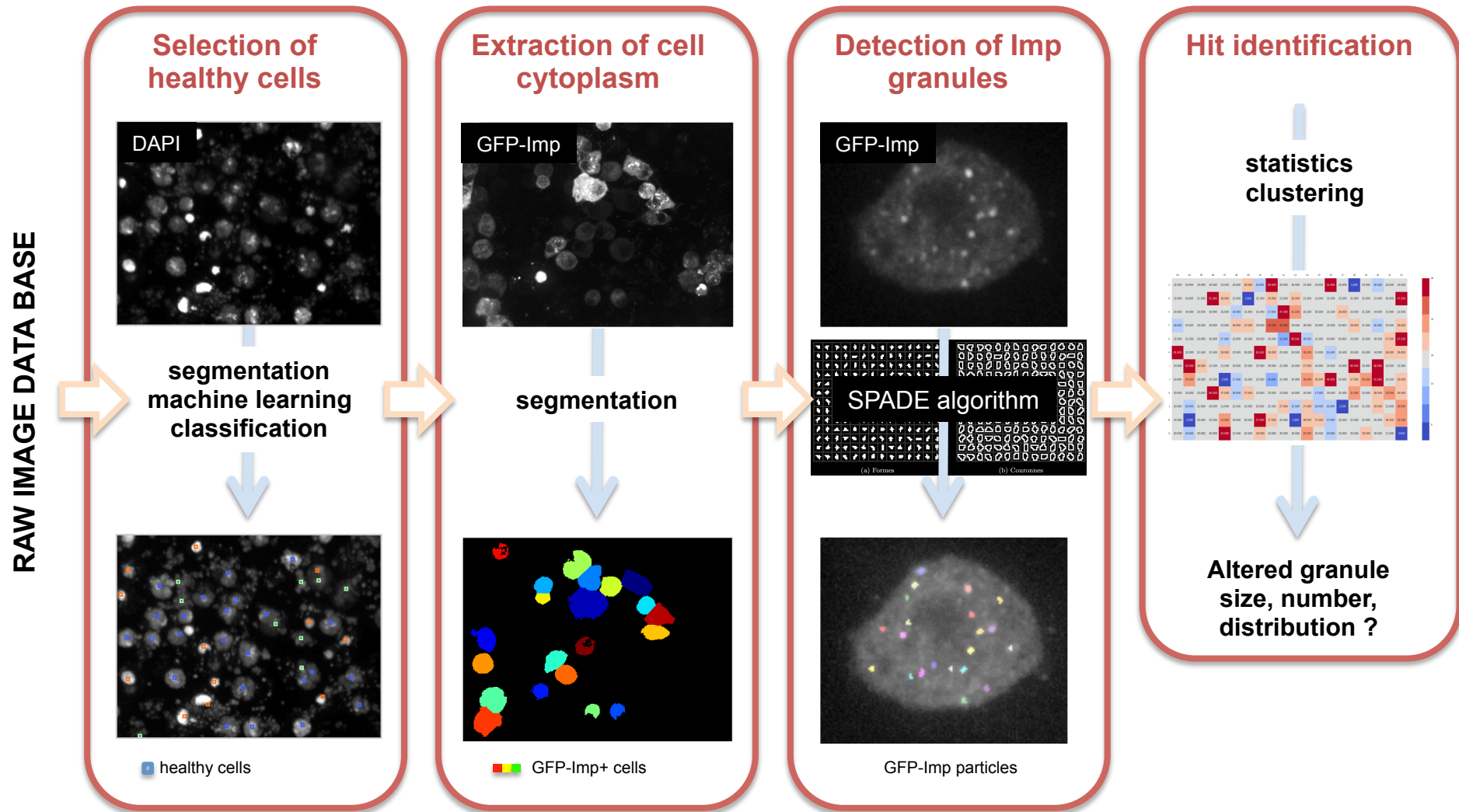
**First consider a PILOT screen (subsample of well chosen genes) :**

Kinases and phosphatases (563)

RNA binding proteins (406)

~1000 out of 13000 genes

# A pipeline for analysing the screen



Disciplines involved : biology, machine learning, image processing, data base

# Machine learning task

- Classify the cells w.r.t. the granule population
- Features : number, size, spatial repartition
- Challenge : unknown number of classes
- Rejection class
- Unbalanced classes
- Huge number of samples : checking difficult



# Time sequences

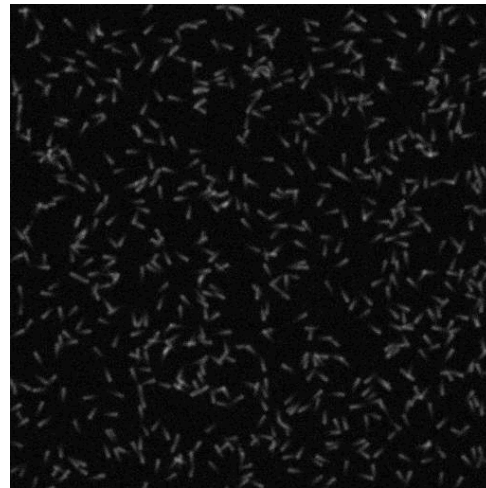
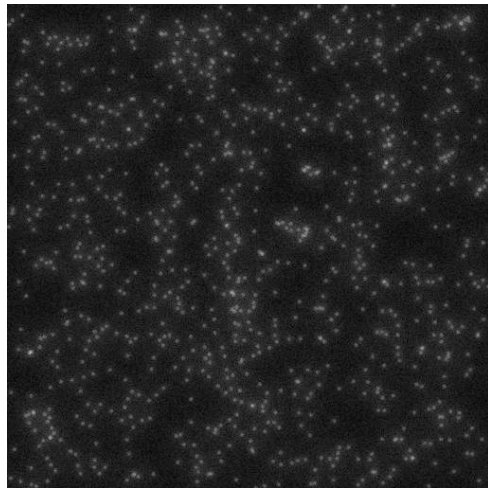


# Time sequences



# Multiple particles tracking

- Main approaches in two steps :
  - 1) Objects (particles) detection
  - 2) Objects (particles) linking
- Particular case : (for low speed)
  - » Trajectories detection in (Space + Time) domain

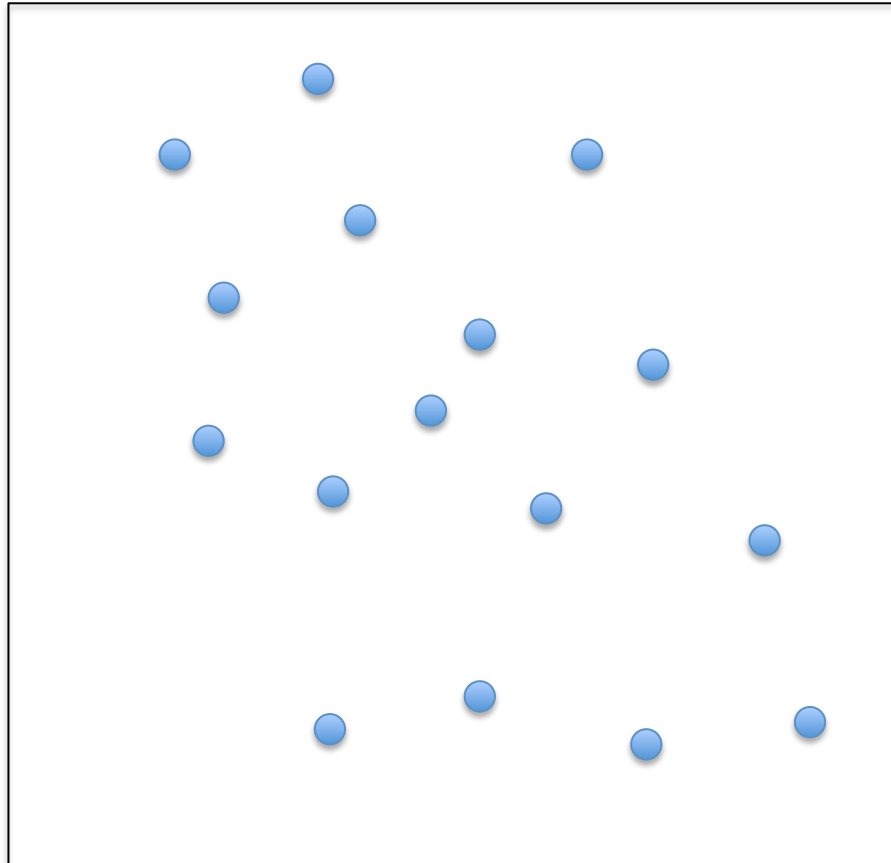


# The challenges

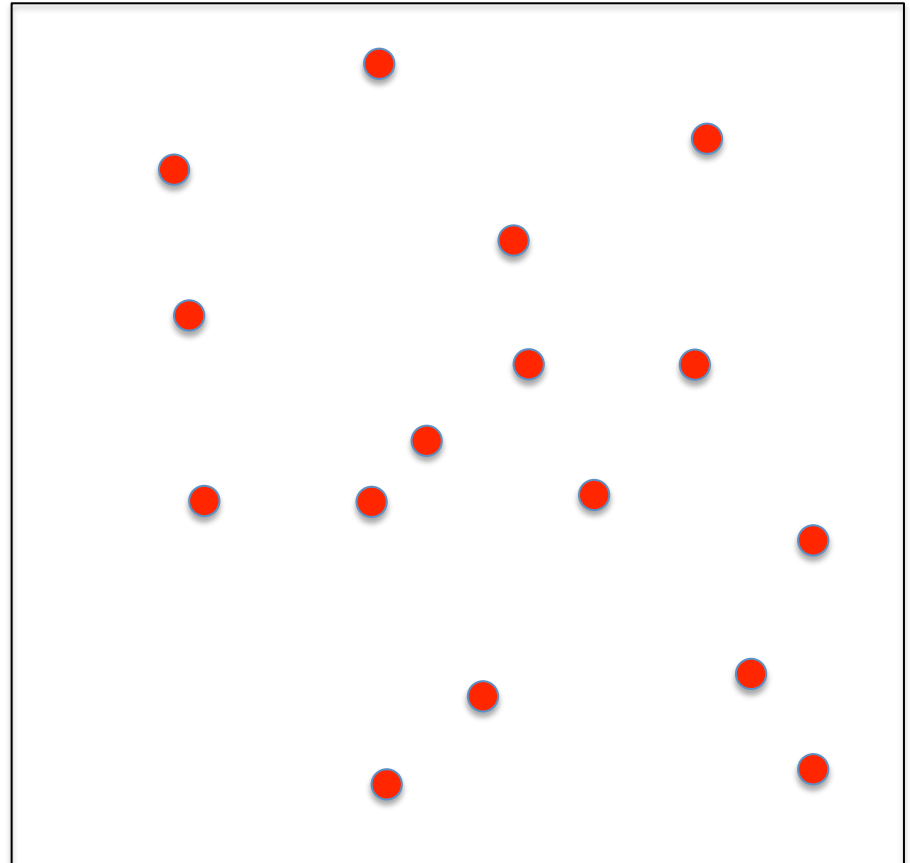
- Detection (see corresponding course)
- Appearance / Disappearance of particles
- Crossing
- Occlusion
- Noise
- Location VS shape descriptor

# Detect and Match

t



t + 1



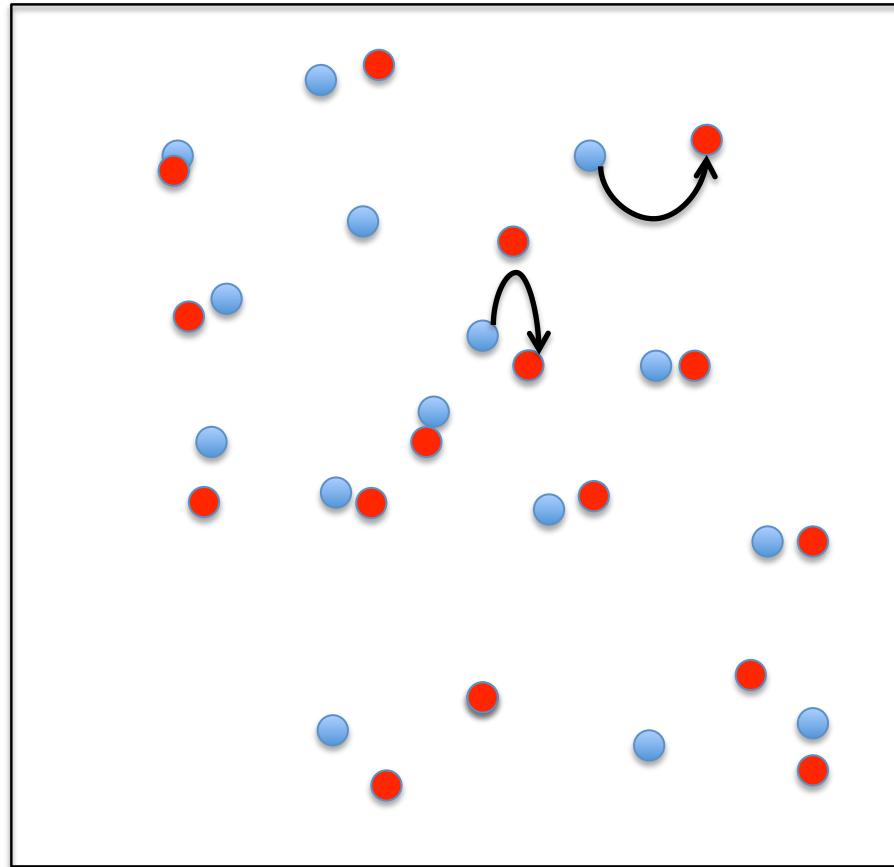


# Match : nearest neighbor

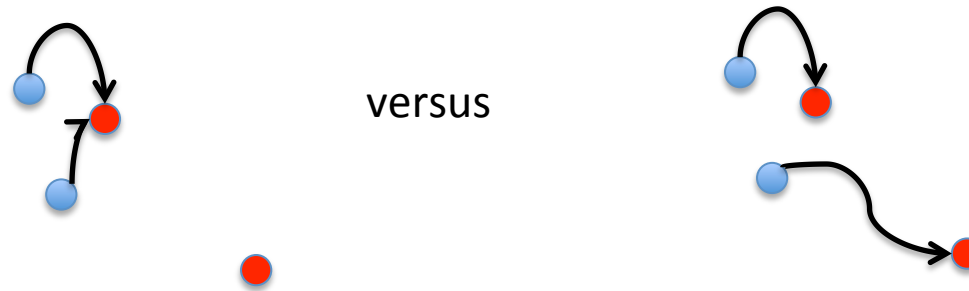
$x_i$

$y_j$

$$M(x_i) = \arg \min_{y_j} d(x_i, y_j)$$

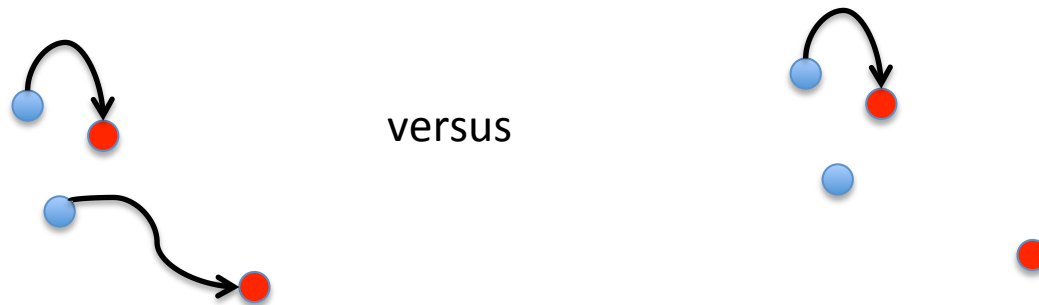


# Unicity constraint



Matching matrix :  $M(i, j) = 0$  or  $1$       $\sum_i M(i, j) = 0$  or  $1$

# Maximum velocity



$$d(x_i, y_j) > V_{max} \implies M(i, j) = 0$$

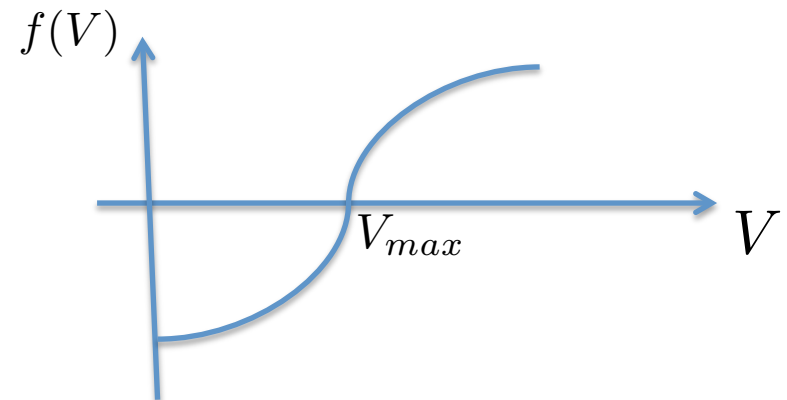
# Global optimization

$$\operatorname{argmin}_M \sum_{i \in I, j \in J} d(x_i, y_j) M(i, j)$$

$$M(i, j) = 0 \text{ or } 1$$

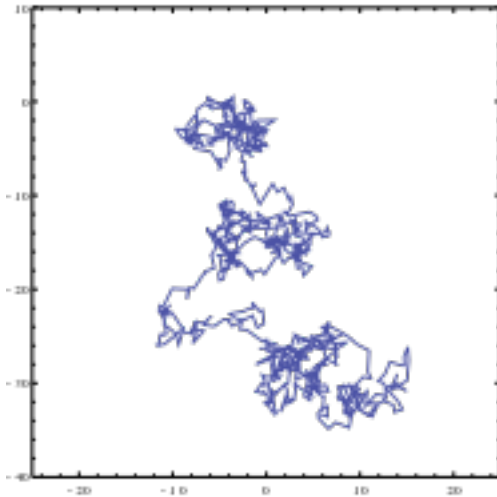
$$\forall i \sum_j M(i, j) = 0 \text{ or } 1$$

$$d(x_i, y_j) = f(\|y_j - x_i\|)$$



# Movement modeling

- Brownian motion : random movement (big particle in a fluid)



$$P(x_{t+1}|x_t) = \frac{1}{2\pi\sqrt{\sigma^2}} \exp\left[-\frac{(x_{t+1} - x_t)^2}{2\sigma^2}\right]$$

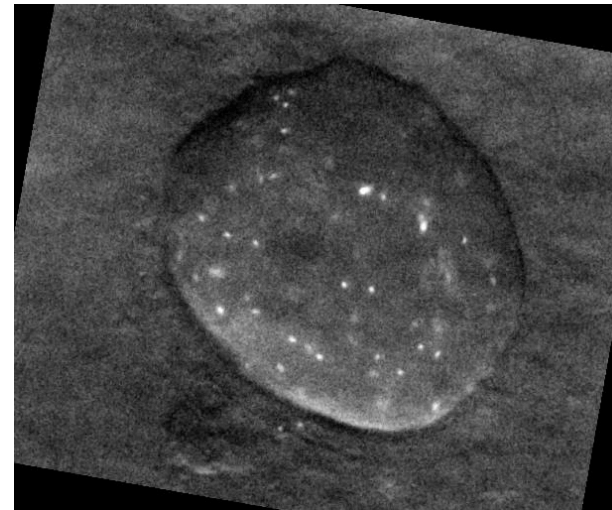
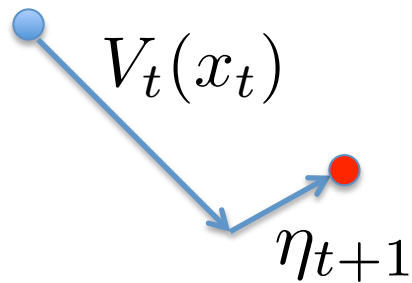
[https://fr.wikipedia.org/wiki/Mouvement\\_brownien#Processus\\_d%F2%80%99Ornstein-Uhlenbeck](https://fr.wikipedia.org/wiki/Mouvement_brownien#Processus_d%F2%80%99Ornstein-Uhlenbeck)

# Deterministic speed model

$$x_{t+1} = x_t + V_t(x_t)dt + d\eta_{t+1}$$

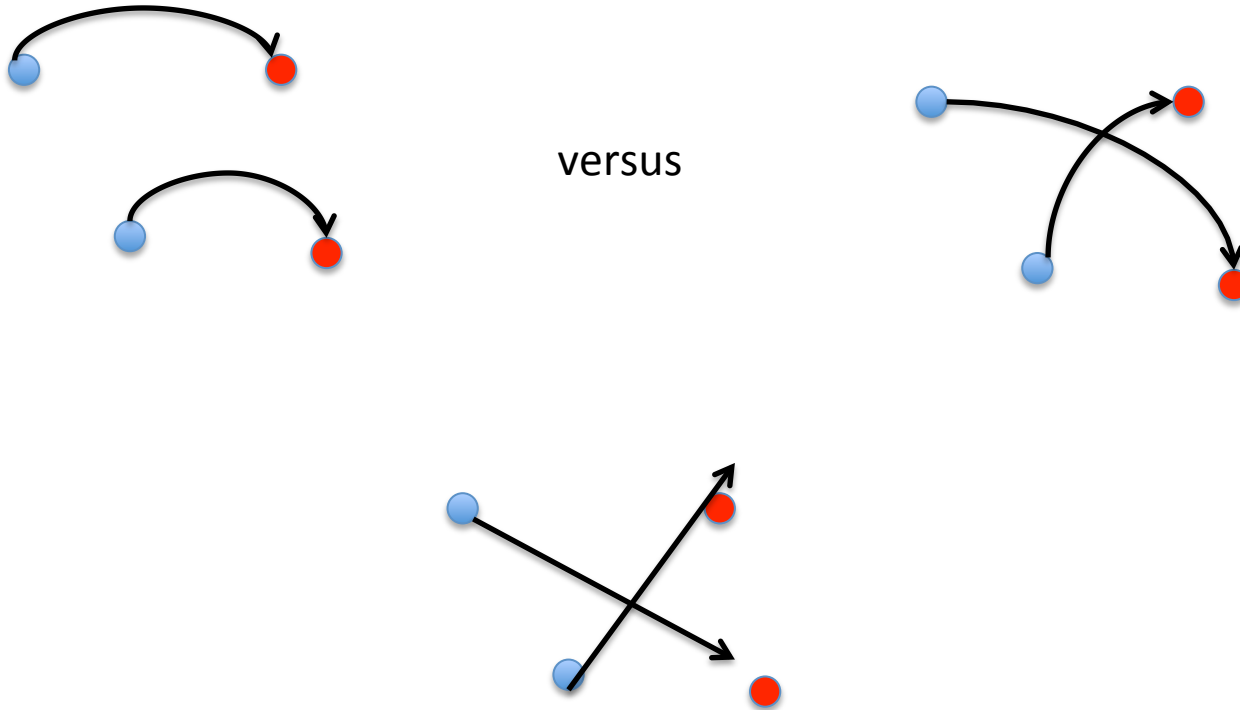
Deterministic  
model

Fluctuation



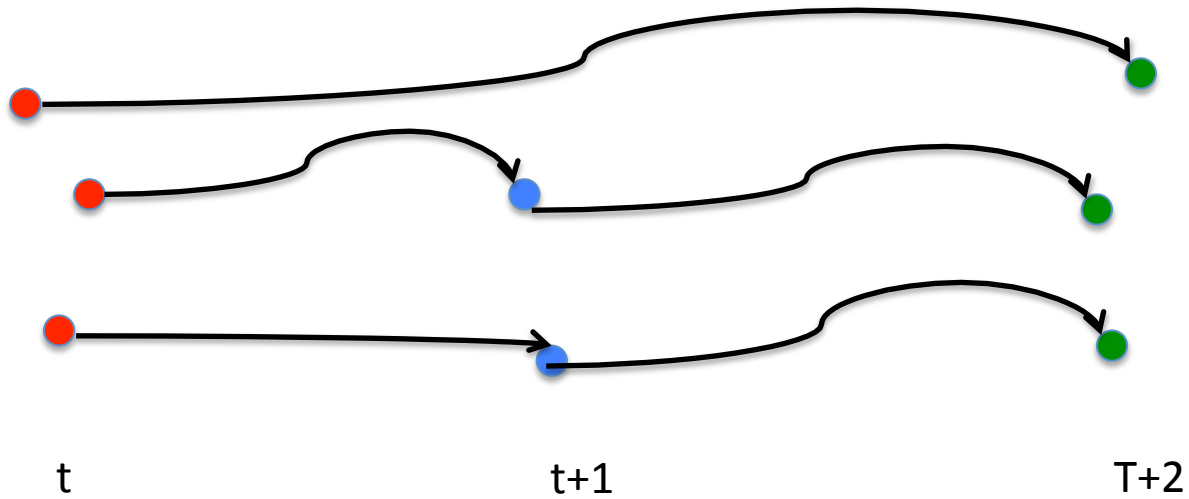


# Advantage of a model

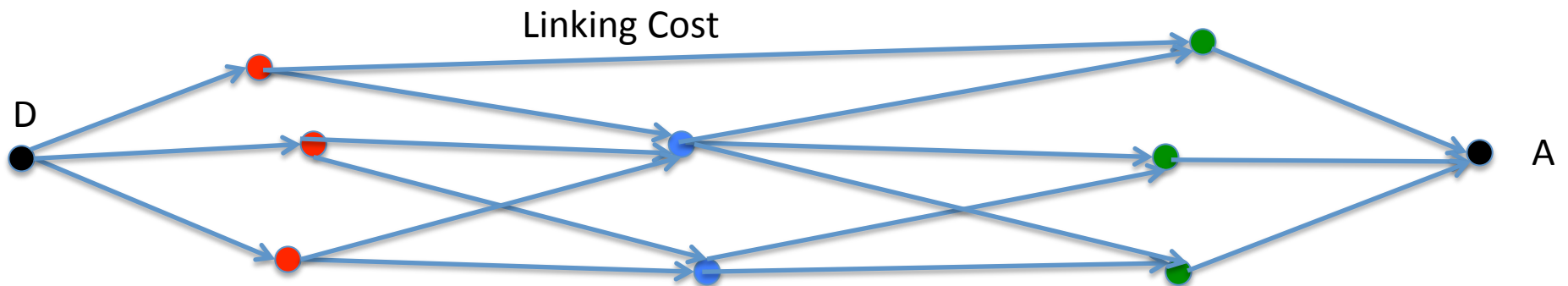


Speed : learnt from a model or estimated from past steps

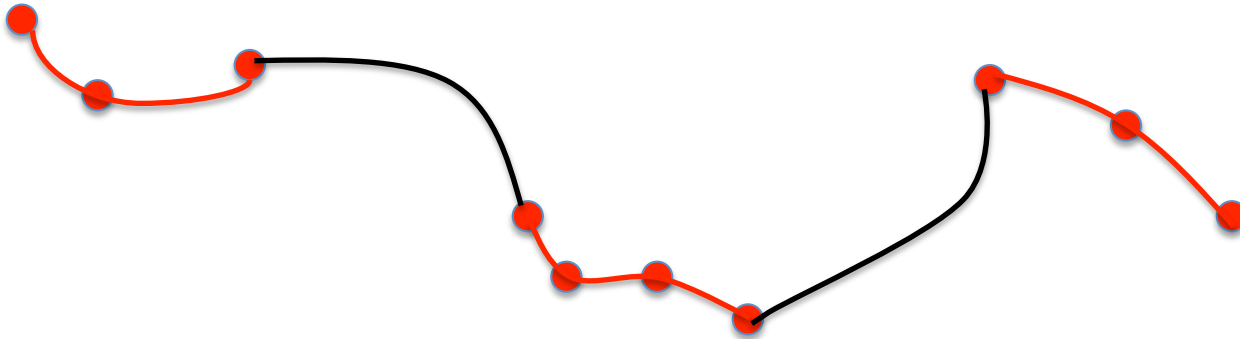
# Gap filling



# Graph model : Minimal Path



# Tracklets



Two steps : Local (tracklets detection), tracklets merging

Pros : consider trajectory and/or speed models

# Take home message

- Do not consider higher resolution than needed (for space, time and intensity)
- Consider a multiscale approach
- Adapt the processing to the size of data (compromise between accuracy and computation time)
- Consider parallel programming