

# Global connectivity and collective coverage among Multiple Mobile Robots

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# 1

## Context & problematics

# Context

- Ubiquitous and pervasive networks became a reality
- Ubiquitous and pervasive networks are composed of heterogeneous devices ( sensors, robots, Smartphones, Laptops, ...)
- New challenges/opportunities due to the heterogeneity of devices

# Problematics

- How to make the devices able to communicate to each other
- How to allow the devices split the tasks/sub-tasks and agree on the assignement of the tasks in order to reach a common goal
- How to make the devices smart

# 2

## Ongoing works

# Global connectivity and collective coverage among multiple mobile robots

# Context

- To carry out cooperative tasks, robot team members need to communicate with each other
- Maintaining connectivity among multiple mobile robots is a crucial issue



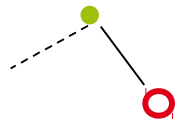
# State of art

Approaches in literature can be classified into two groups :

- Local connectivity maintenance
- Global connectivity maintenance

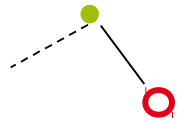
# Local connectivity maintenance

The initial set of edges which define the graph connectivity must be always preserved over time.



# Global connectivity maintenance

Allows suppression and creation of some edges as long as the overall connectivity of the graph is conserved.



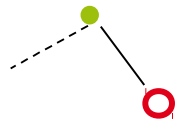
# Some strategies of connectivity maintenance

- Construction of an spanning tree
- Maximize the algebraic connectivity
- ...

# Connected graph

- Multi-robot systems can be modeled as an undirected graph  $G = (V, E)$

**Definition 1** : A graph  $G$  is said to be connected if and only if  $\forall u, v \in V$ , there exists a path  $p(u, v)$



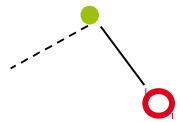
# Spanning tree (ST)

**Definition 2 :** A spanning tree of an undirected graph  $G$  is the subgraph  $G^* = (V, E^*)$

such as :

- There is no cycle in  $G^*$
- $|E^*| = n - 1$

**Corollary 1 :** The graph  $G$  is connected if and only if there exists a ST deduced from  $G$ .



# Laplacian matrix and algebraic connectivity

- Given a undirected graph  $G$ , its Laplacian matrix  $L$  is defined as:  $L(G) = D(G) - A(G)$
- The scalar  $\lambda$  is an eigenvalue of  $L$  if there exists a non-zero vector  $w$  such that :  $L.w = \lambda.w$

The Laplacian matrix  $L(G)$  holds some interesting properties:

1- The eigenvalues of  $L(G)$  can be ordered such that:

$$0 = \lambda_1 \leq \lambda_2 \leq \lambda_3 \leq \dots \leq \lambda_n$$

2-  $\lambda_2 > 0$  if and if only the graph  $G$  is connected.  $\lambda_2$  is called also algebraic

connectivity of the graph  $G$

# Trade-off between collective coverage and communication quality

- Maximizing the connectivity is important to ensure reliable communication
- Maximizing the collective coverage is needed
- Maximizing these two parameters simultaneously is difficult (if not impossible) : *maximize collective coverage may lead poor communication quality and conversely*
- **Need to capture the trade-off between collective coverage and communication quality**



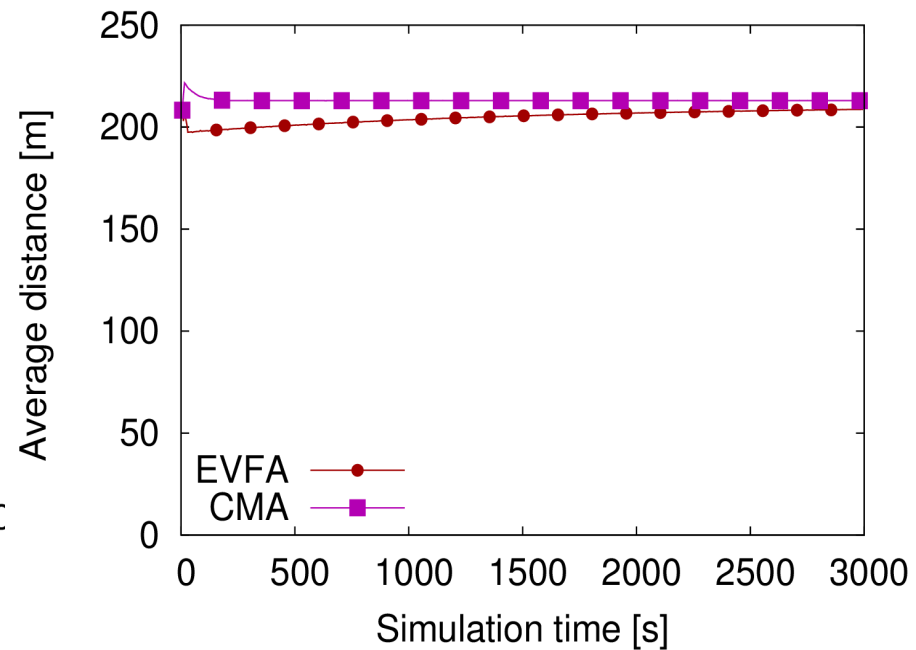
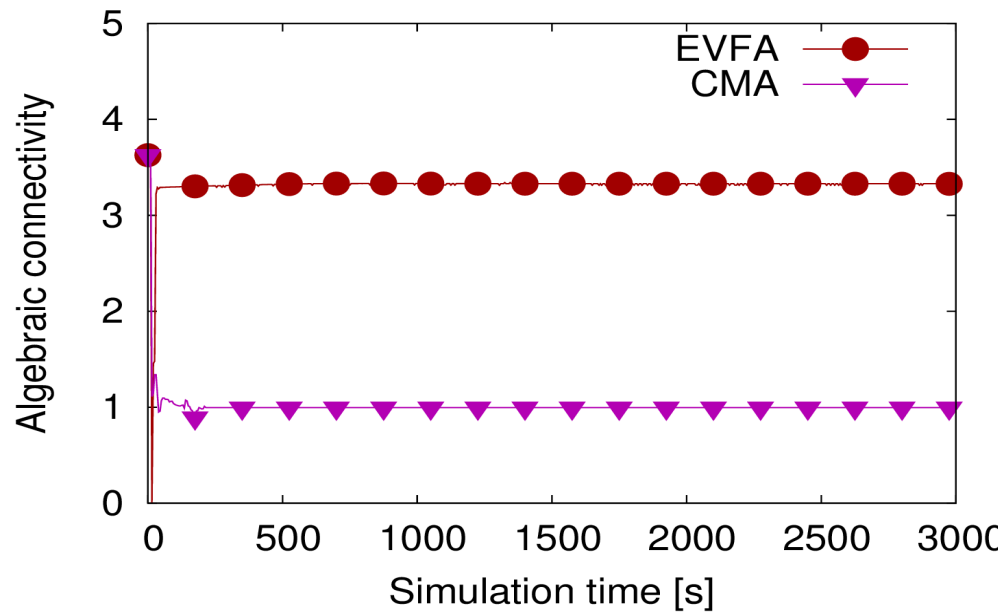
# Proposed approaches

- Centralized approach for global connectivity maintenance
- Distributed trained neural network controller

# Centralized approach to maintain global connectivity between robots to a desired quality level

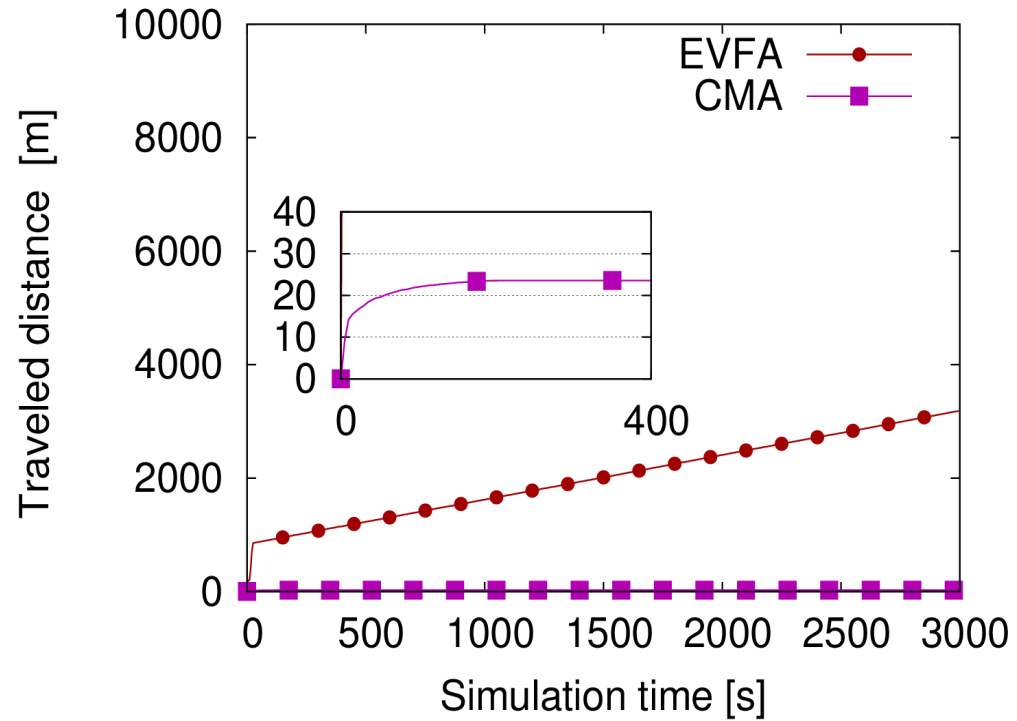
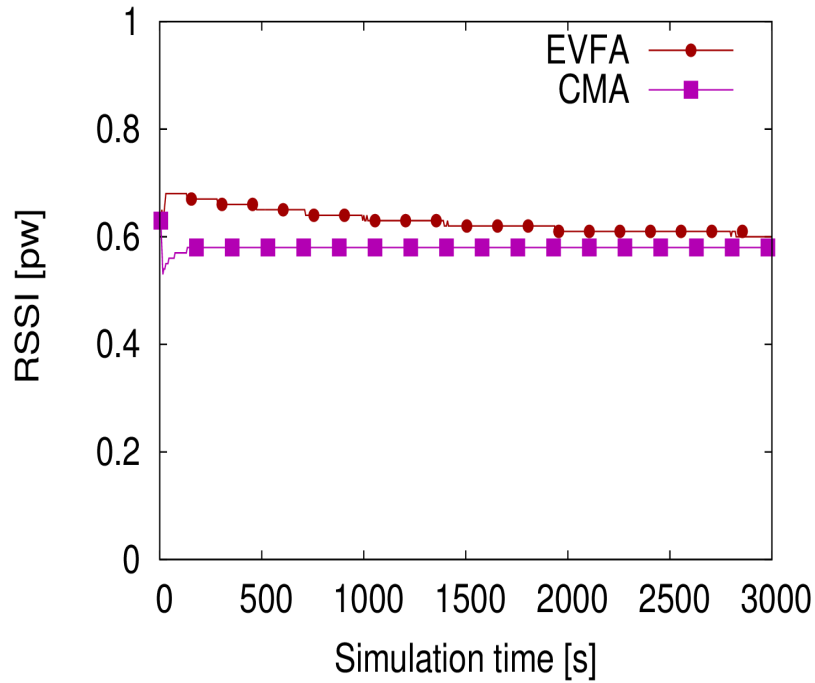
- Use of a modified version of virtual force algorithm (VFA) to control the robots' motion
- Compute algebraic connectivity metric to guarantee global connectivity maintenance (Centralized computation)
- Only move to the new position if  $\lambda_2$  is greater than zero

# Obtained results with 5 robots



[EVFA] Jun Li & All, An extended virtual force-based approach to distributed self-deployment in mobile sensor networks

# Obtained results with 5 robots

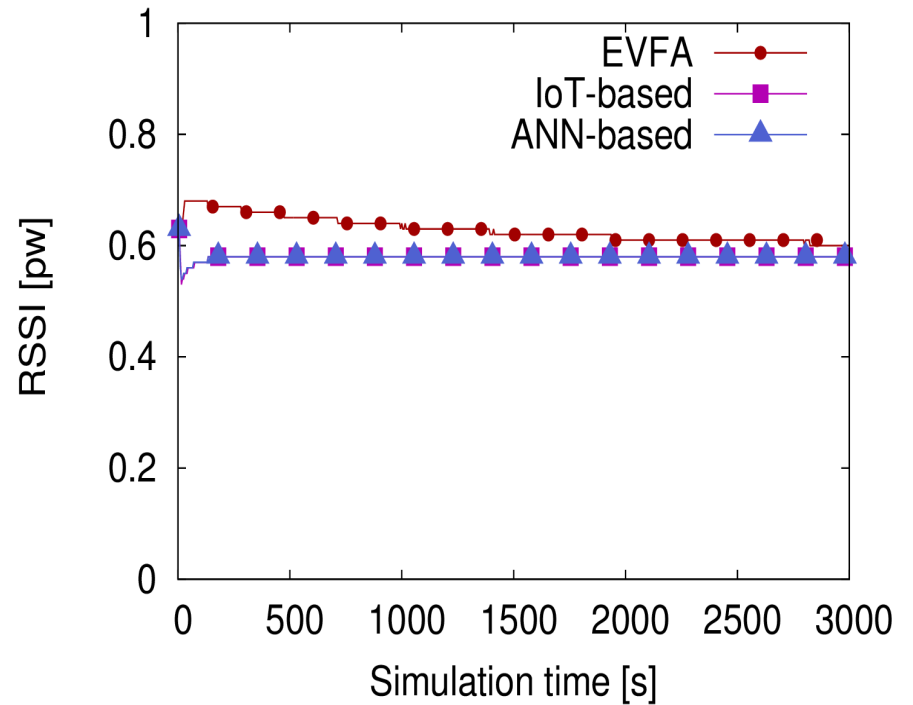
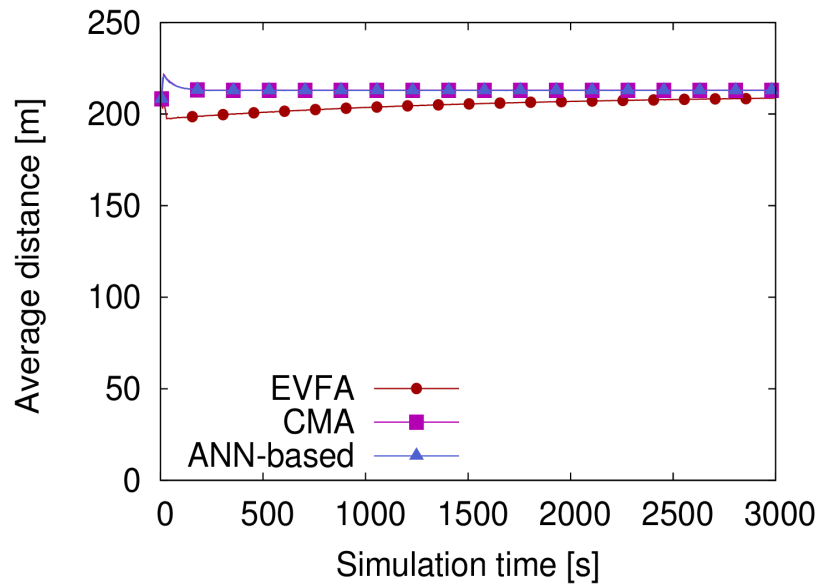


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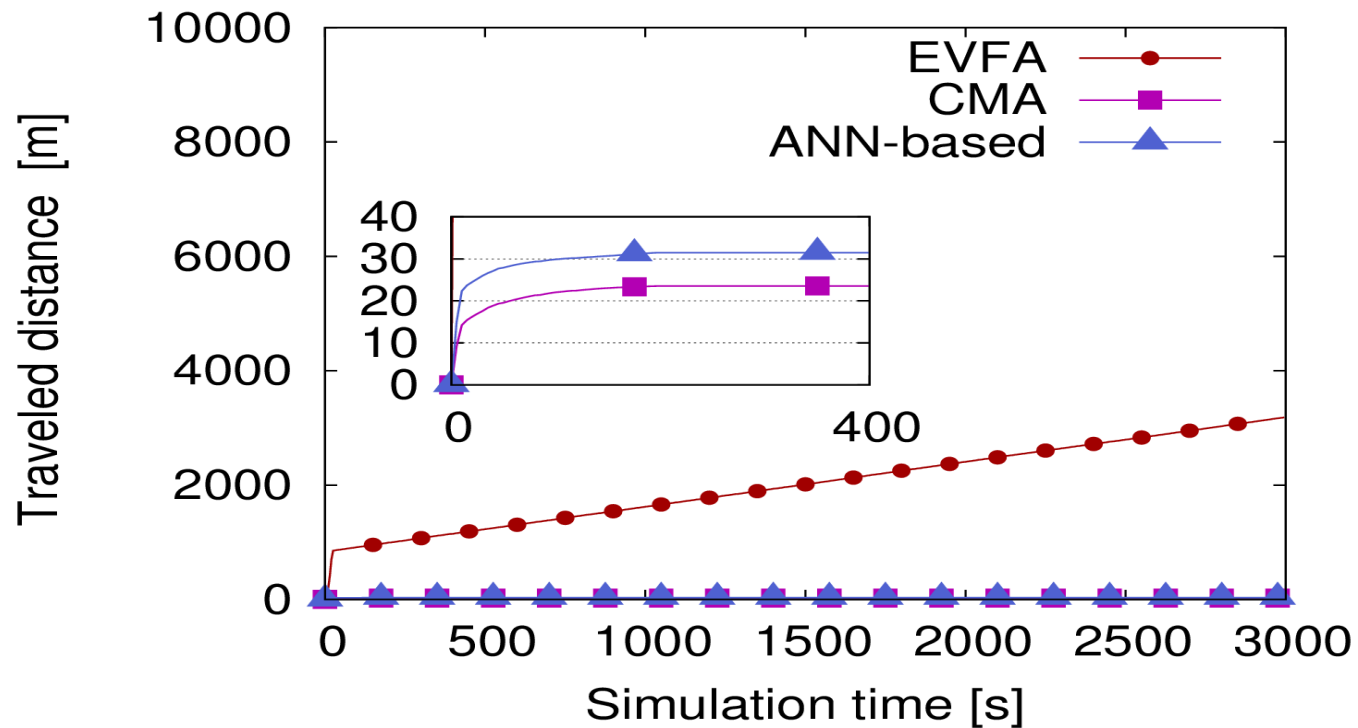
# Maintain global connectivity between robots to a desired quality level using Neural Network

- Mimic the behaviors of the previous approach
- Data set was obtained by using our previous approach
- Inputs : distance and angle between two robots  $i,j$
- Output : new position of robot  $i$  according its neighbor  $j$
- Training algorithm : backpropagation

# Obtained results with 5 robots



## Obtained results with 5 robots



# 3

## Conclusion



# Conclusion

- Working on distributed communication and cooperation among heterogeneous devices
- Contribution on global connectivity maintenance and collective coverage among multiple mobile robots
- Two proposed approaches till now:
  - Centralized approach based on algebraic connectivity and VFA
  - Distributed approach based on neural network

# Conclusion

- The proposed approaches tried to capture the trade-off between network coverage and communication quality
- The proposed algorithms allows the whole robot network converges to the desired distance/communication quality
- The proposed approaches outperform EVFA in terms of:
  - Traveled distance
  - Convergence time
- Our proposed methods always maintain the global connectivity
- Next step : add some heterogeneity in the system

Merci

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