Ontology-Based Query Answering Overview and Relevant Work

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Is Semantics Needed?



Figure 2: Searching Data.gov for Natural Disaster Data Sets.

Benefits of Ontologies

- dealing with incompleteness of the data
- hiding even more the specifics of data storage
- using a vocabulary that is familiar to the user

The need for reasoning

Query answering needs explicit and implicit data!

- Materialization-based query answering
- Reformulation-based query answering
- Hybrids of the above: combined approaches

Materialization-based query answering



Courtesy of I.Manolescu

Materialization-based query answering



- $q(G^{\infty})$ can be computed using an RDBMS
- \blacktriangleright G $^\infty$ needs time to be computed and space to be stored
- Not suitable for high update rate (data and/or schema triples)

Reformulation-based query answering



Reformulation-based query answering



- q^{ref}(G) can be evaluated using an RDBMS
- Robust to updates
- ▶ Reformulated queries are complex, thus costly to evaluate

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- Query : $\exists x \exists y$ Teacher $(x) \land$ reviews(x, y)

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Materialization (chase)

Professor(Alice) Reviewer(Alice) Teacher(Alice) $\exists y_1 \text{ reviews}(Alice, y_1)$

Query Rewriting

 $\exists x \exists y \text{ Teacher}(x) \land \text{ reviews}(x, y) \\ \exists x \text{ Professor}(x) \land \text{ Reviewer}(x) \\ \exists x \text{ Teacher}(x) \land \text{ Reviewer}(x) \\ \exists x \exists y \text{ Professor}(x) \land \text{ reviews}(x, y) \end{cases}$

Formalization of the Problem

Input: a set of ground atoms *I*, a set of existential rules (or a description logic) *R*, a (Boolean) conjunctive query *q*

• Output: yes if and only if $I, \mathcal{R} \models q$

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Existential Rule

An existential rule (or TGD) is a formula of the shape:

$$\forall \mathbf{x} \forall \mathbf{y} . [B(\mathbf{x}, \mathbf{y}) \rightarrow \exists \mathbf{z} . H(\mathbf{y}, \mathbf{z})],$$

B and H are non-empty conjunctions of atoms on variables
x, y and z are pairwise disjoint

Goal of the Talk

incomplete...

- highly subjective...
- selection of topics, past, present and future

Problem 1: Does the Chase Terminate?

it may not terminate:

- $I = \{\text{Human}(Alice)\}$
- ▶ $\mathcal{R} = \{ \operatorname{Human}(x) \rightarrow \operatorname{hasParent}(x, y) \land \operatorname{Human}(y) \}$

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References:

- Acyclicity Notions for Existential Rules and Their Application to Query Answering in Ontologies, Cuenca Grau et al., JAIR 2013
- Detecting Chase (Non)Termination for Existential Rules with Disjunctions, Carral et al., IJCAI 2017

Problem 2: Is there a Rewriting of q in a Language \mathcal{L} ? (1)

Given q and \mathcal{R} , given a query language \mathcal{L} , does it exist $q' \in \mathcal{L}$ such that for all instance I,

$$I, \mathcal{R} \models q \Leftrightarrow I \models q'.$$

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Several target languages have been proposed:

- UCQs
- first-order logic
- non-recursive Datalog
- Datalog

• ...

Problem 2: Is there a Rewriting of q in a Language \mathcal{L} ? (2)

- this is not always the case: transitivity rules do not play well with first-order logic
- checking the existence of a rewriting is usually undecidable
- sufficient conditions have been proposed
- the size of generated rewritings has been studied

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References:

- Sound, complete and minimal UCQ-rewriting for existential rules, König et al., SWJ 2015
- The price of query rewriting in ontology-based data access, Gottlob et al., AIJ 2014

Problem 3: Towards more Expressive Query Languages

- CQs are basic
- extension with aggregation
- extension with restricted form of recursivity (for instance, RPQs or CRPQs)

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References:

- Complexity of Answering Counting Aggregate Queries over DL-Lite, Kostylev et al., DL 2013
- Answering Conjunctive Regular Path Queries over Guarded Existential Rules, Baget et al., IJCAI 2017

Problem A: Optimization of Query Evaluation (1)

- the size of generated rewritings has been studied
- ▶ it does not tell much on the efficiency of query evaluation
- even small positive existential first-order rewritings are not easy to evaluate
- cost-based optimization of queries generated by rewriters is not a closed topic

Problem A: Optimization of Query Evaluation (2)

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Optimizing through unions is **crucial** for the kind of queries we are faced with.

References:

 Optimizing Reformulation-based Query Answering in RDF, Bursztyn et al., EDBT 2015

Problem B: Consistent Query Answering (1)

- ► in presence of inconsistencies, FOL semantics is not interesting → everything is entailed
- alternative to FOL need to be studied to keep some robustness
- variety of semantics based on the notion of repair
 - most common: keeping maximum consistent subset of the data
 - modifications of the data are also sometimes allowed

References:

- Inconsistency-Tolerant Semantics for Description Logics, Lembo et al., RR 2010
- Inconsistency-Tolerant Querying of Description Logic Knowledge Bases, Bienvenu et al. RW 2016

Problem C: Temporal OBQA

- time is important for applications
- several ways to integrate it
- interactions between time and reasoning explode quickly

References:

- ► Temporalizing Ontology-Based Data Access, Baader et al., CADE 2013
- ► Temporalized *EL* Ontologies for Accessing Temporal Data: Complexity of Atomic Queries, Gutiérrez-Basulto et al., IJCAI 2016

Recap

Chase TerminationQuery OptimizationRewritabilityConsistent Query AnsweringQuery LanguagesTemporal Data and Ontologies



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