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Verification of CCSL Specifications

Ling YIN



□ Exhaustive Verification with CCSL

- Observer-based (LCTES'09, SIES'10)
 - Verify that a property specified in CCSL holds for a given implementation
- **ICECCS'11**
 - Verify that a property specified in LTL holds for a given CCSL specification => SPIN
 - Means: Transformation into Promela
 - Pro: Promela supports non-deterministic choice
 - Pro: Promela is used in TrustableMDA
 - Con: Promela is asynchronous, does not natively support simultaneity

CCSL -> Promela

□ Get some inspiration from the operational semantics of CCSL

- CCSL clocks: encoded as shared **boolean variables**
- A *run* :
 - a sequence of coincident instants
 - valid evolution conforming to the specification
 - Promela must explore ALL the valid runs
- A *coincident instant*
 - consists of several **valid** configurations
 - each configuration is a set of ticking decisions, {a,-b}
 - which configuration is chosen is non-deterministic
- A *step* :
 - Decide what clocks **MUST** or **CANNOT** fire (enabled)
 - Choose what clocks **ACTUALLY** fire (firing)
 - Non-deterministic choice
 - Conflicts

```
typedef Clock { bool must_tick, cannot_tick, actually_tick, dead };
```

CCSL -> Promela

- Global clock declaration

```
typedef Clock { bool must_tick, cannot_tick, actually_tick, dead };
```

- Operator process instantiations + init process

- A *coincident instant*

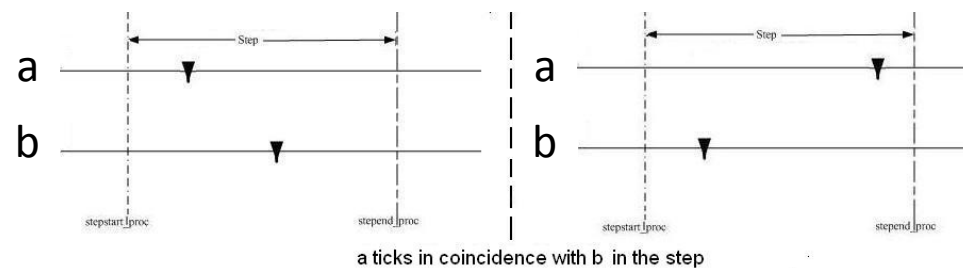


Start: compute ticking decisions(must,cannot)

Firing: chose what clocks actually fire, non-deterministic

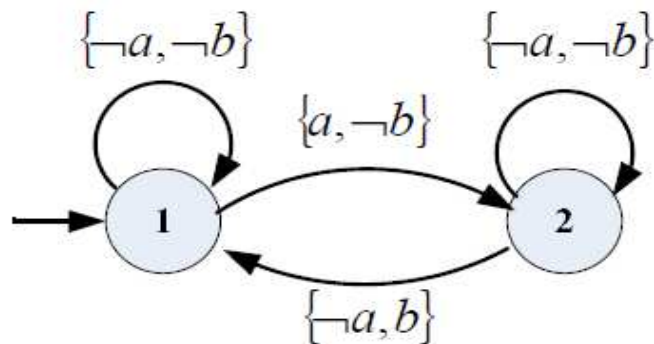
End: update+reset

Order:

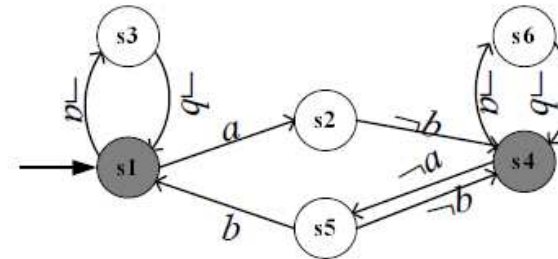


$a \Box b$

- $T=\{S,A,->,I,clp\}$, each transition is labeled by a set of actions, representing clock decisions in the coincident instant; clp indicates checkpoints



Example



```
proctype alternatesWith(int cLeft; cRight) {
```

```
    bool state = true;
```

```
    do
```

```
        :: start_proc?true;
```

```
        if
```

```
            :: state -> clocks[cRight].cannot_tick = true ;
```

```
            :: ! state -> clocks[cLeft].cannot_tick = true ;
```

```
        fi;
```

```
        end_proc?true;
```

Enabling



Global non-deterministic choice

```
        if
```

```
            :: state -> if :: clocks[cLeft].actually_tick -> state = false
```

```
                :: else -> skip    fi
```

```
            :: !state -> if :: clocks[cRight].actually_tick -> state = true
```

```
                :: else -> skip    fi
```

```
        fi
```

```
    od
```

```
}
```

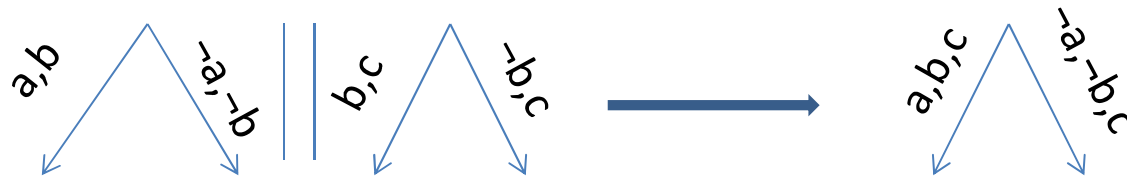
State
Update

Composition

$$T_1 = \{S_1, \mathcal{A}_1, \Rightarrow_1, I_1, C_1\} \quad \cancel{T_2 = \{S_2, \mathcal{A}_2, \Rightarrow_2, I_2, C_2\}}$$

$$T_1 || T_2 = \{S_1 \times S_2, \mathcal{A}_1 \cup \mathcal{A}_2, \Rightarrow, I_1 \times I_2\}$$

$$\frac{s_1 \xrightarrow{\mu_1} s'_1 \in T_1, s_2 \xrightarrow{\mu_2} s'_2 \in T_2, \forall a \in \mathcal{A}_1 \cup \mathcal{A}_2, a \in \mu_1 \wedge \neg a \notin \mu_2}{(s_1, s_2) \xrightarrow{\mu_1 \cup \mu_2} (s'_1, s'_2)}$$

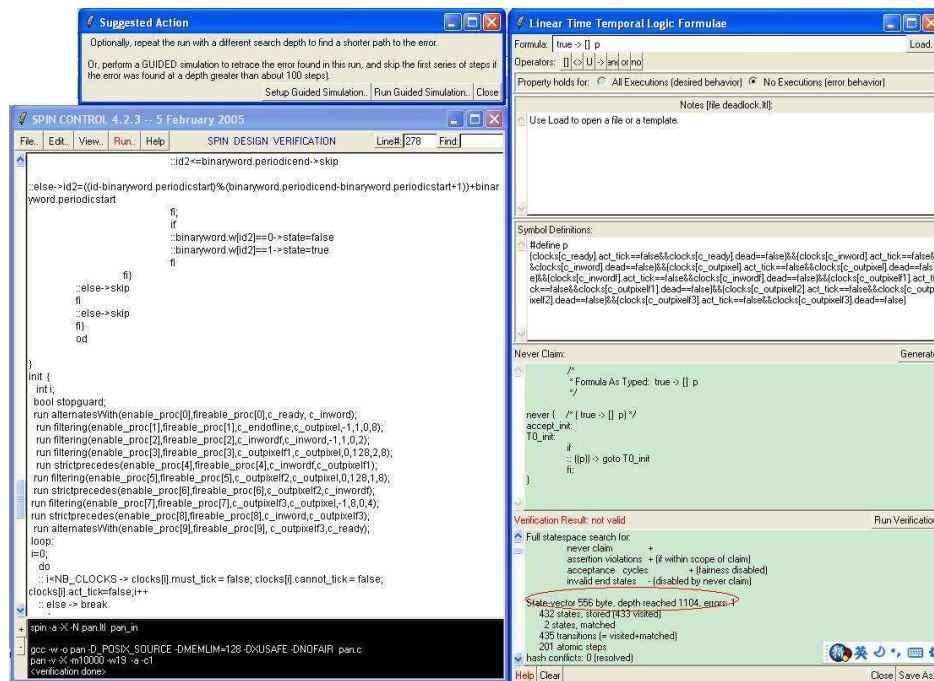


Verifying LTL properties on CCSL

$$\varphi ::= \text{true} | \text{inst} \wedge \psi | \mathbf{X}\varphi | \mathbf{F}\varphi | \mathbf{G}\varphi | \varphi_1 \mathbf{U} \varphi_2$$

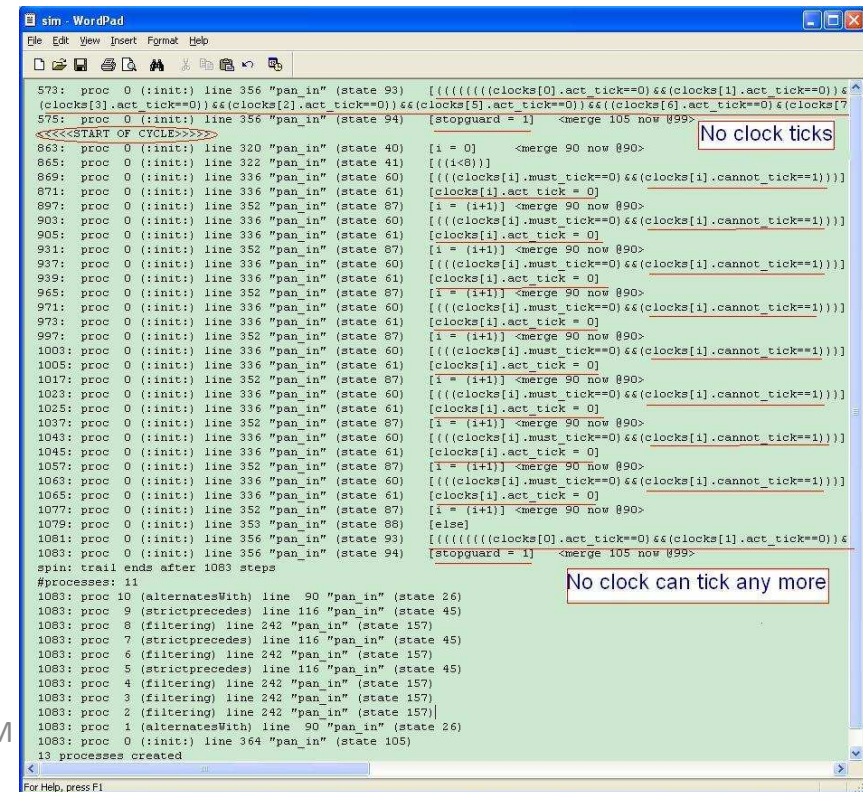
$$\psi ::= c.\text{act_tick} | \neg\psi | \psi_1 \wedge \psi_2$$

- Special variable `inst` guaranteeing properties are checked each `coincident instant`



November 16th, 2010

UML & FM



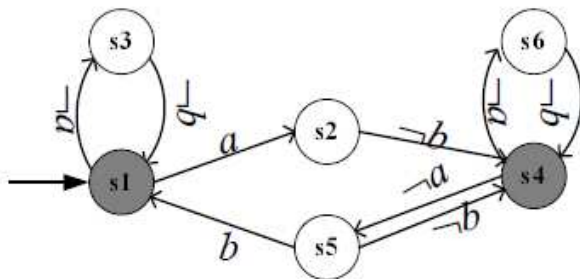
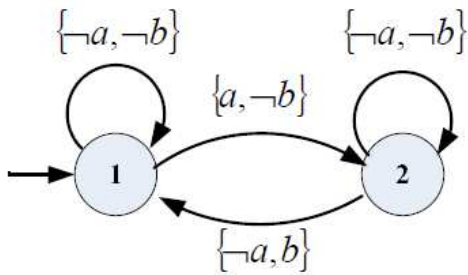
Encoding correctness

+ LTL property pattern
coincident encoding



Checkpoint bisimulation equivalent

- Checkpoint bisimulation checks from checkpoint to checkpoint, requiring compared systems have executed the same set of visible actions. Orders of the actions are irrelevant
- It preserves logical truth under the pattern
- It is a congruence w.r.t parallel composition



Discussion

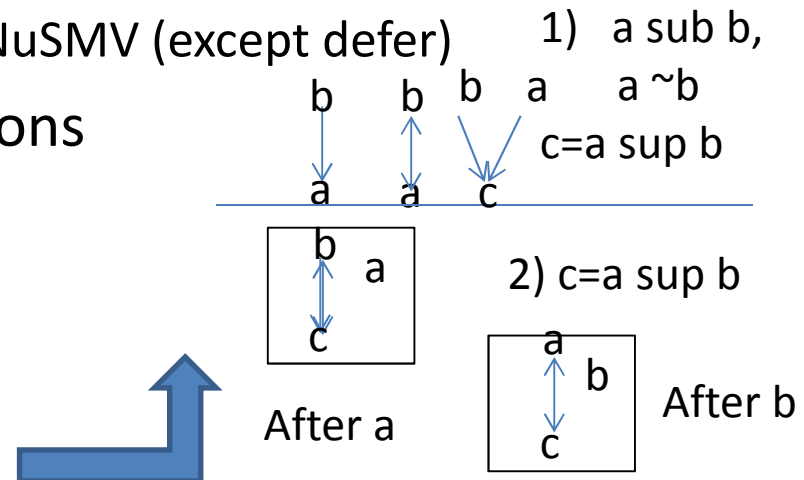
□ Synchronous Transition System

- easier with synchronous models, NuSMV (except defer)

□ Choices among valid configurations

Unpredictable random -> predictable

- Conflict-free, $m1 \diamond m2$
 $m1 \sqcap m2 = m$
 $m2 - m + x$ $m1 - m + x$



Condition: *for all* states, *each pair* of transitions, $(m1-m, m2-m)$ independent

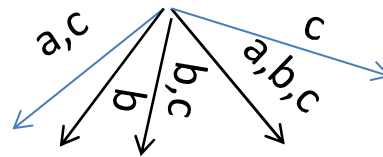
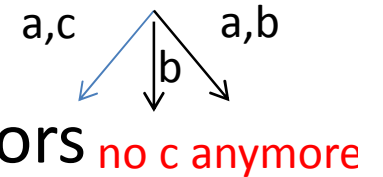
Independent: 1) Not connected, don't affect common clocks (too strong, e.g. prevent $c = a \sup b$) → 2) build dependent relations for each state, only one instant (still strong, prevent $c = a \cup b$, may cause problem on strictSampling)

- Otherwise,
 - Some clocks tick in some paths, while can not tick in others (deadlock or not)
 - If then else case

Non Conflict-free examples

- Single operator: sampling, preemption
- Conflict caused by non conflict-free operators
 - a sub c, d=c filterby(01)^w, d=f preemption b

c=a preemption b



b blocks d->c->a

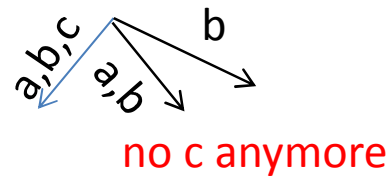
ac,b involved in disjoint operators.

(b in operator o3, while a and c involved in operator o1 and o2.
)

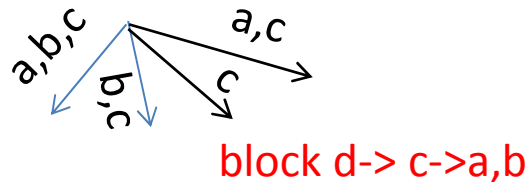
Non Conflict-free examples

- Composition of conflict-free operators:
 - 1) Choosing one path blocks unchosen clocks

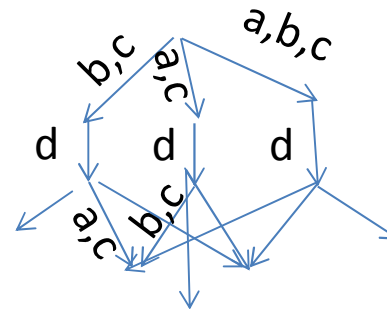
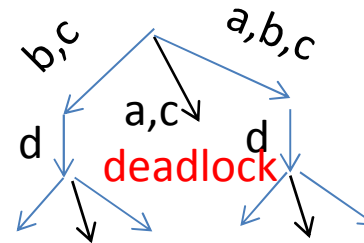
$b = a \text{ wait } 1, c \text{ sub } b$



$d = c \text{ filterby } (01)^w,$
 $a \text{ sub } c, b \text{ sub } c, b < d$



$c = a \text{ union } b, c \sim d, b < d$

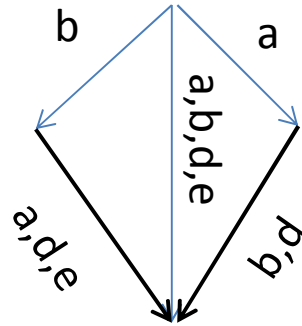


But removing $d < d$ (lower one) yields conflict-free, even it does not satisfy the definition used above. Right now, ignore this case in the definition.

Non Conflict-free examples

- 2) Choosing one path doesn't block unchosen clocks, but forcing different new clocks

$d = a \supset b$, $e = a \cap b$



- If then else case:

$a \text{ sub } m$, $b \text{ sub } n$

$c = a \cup b$, $b < d$, $a < d$, $c \sim d$, $a \# b$

Looking for condition for conflict-free

❑ Not composition preserving

- Composition of self conflict-free operators may introduce conflict
- Restrict conflict operators may end as non conflict-free specification
 - $c = a \text{ strictSampling } b, a \sim b$